

1. Day one

Here is the overview of our program.

```
module ADVENTOFCODE.Y2015.DAY01 where
  ⟨Imported modules 2⟩
  ⟨Type declarations 3⟩
  ⟨Functions 5⟩

  solve :: FilePath → IO ()
  solve  $\hat{=}$  do
    text ← readFileUtf8 path
    let input = TEXT.unpack text
    print (solve_a input, solve_b input)
```

2. ⟨Imported modules 2⟩ ≡

```
import "text" DATA.TEXT qualified as TEXT
import ADVENTOFCODE.LIB ( readFileUtf8 )
```

See also chunks 4 and 6.

This code is used in chunk 1.

3. We are told the following concerning the problem facing the protagonist:

- “He starts on the ground floor (floor 0) and then follows the instructions one character at a time.”
- “An opening parenthesis, (, means he should go up one floor, and a closing parenthesis,) means he should go down one floor.”
- “The apartment building is very tall, and the basement is very deep; he will never find the top or bottom floors.”

We are asked to answer two questions:

1. “To what floor to the instructions take him?”
2. “What is the position of the character that causes [him] to first enter the basement?”

⟨Type declarations 3⟩ ≡

```
data Variables = Variables
  { currentFloor, currentPos :: !Int
  } deriving stock (Generic, Show)
```

This code is used in chunk 1.

4. ⟨Imported modules 2⟩ ≡

```
import "base" GHC.GENERICS ( Generic )
```

This code is used in chunk 1.

5. To discover to which floor the instructions lead us, we traverse the list of characters adding 1 to *currentFloor* whenever we encounter a (and subtracting 1 whenever we encounter a).

```

⟨Functions 5⟩ ≡
solve_a :: [ Char ] → Int
solve_a ss ≙ let
  ini = Variables { currentFloor = 0, currentPos = 0 }
  fin = runIdentity $ execStateT (traverse f ss) ini
  in fin ^ . #currentFloor
  where
    f :: Char → StateT Variables Identity ()
    f = λcase
      ' (' → #currentFloor %= (λx → x + 1)
      ')' → #currentFloor %= (λx → x - 1)

```

See also chunk 7.

This code is used in chunk 1.

```

6. ⟨Imported modules 2⟩ ≡
import "mt1" CONTROL.MONAD.IDENTITY ( Identity, runIdentity )
import "mt1" CONTROL.MONAD.STATE.STRICT
  ( StateT, execStateT, lift )
import "lens" CONTROL.LENS ( (^.), (%=) )
import "generic-lens" DATA.GENERICS.LABELS

```

This code is used in chunk 1.

7. In order to answer the second question, we use *currentPos* to keep track of our position in the list. Whether we encounter a (or a), we increase the value of *currentPos* by 1. We then check *currentFloor* to see what floor we are on. The first time we are in the basement (*currentFloor* = -1) we short-circuit the traversal of the list by wrapping the value of *currentPos* with *Left*.

```

⟨ Functions 5 ⟩ ≡
  solve_b :: [ Char ] → Int
  solve_b ss = let
    ini = Variables { currentFloor = 0 , currentPos = 0 }
    Left n = execStateT (traverse f ss) ini
  in n
  where
    f :: Char → StateT Variables (Either Int) ()
    f c = do
      #currentPos %= (+1)
      case c of
        '(' → #currentFloor %= (λx → x + 1)
        ')' → #currentFloor %= (λx → x - 1)
    ⟨ Check if we have found the basement 8 ⟩

```

This code is used in chunk 1.

```

8. ⟨ Check if we have found the basement 8 ⟩ ≡
  currentFloor ← use #currentFloor
  when (currentFloor == negate 1) $ do
    currentPos ← use #currentPos
    lift $ Left currentPos

```

This code is used in chunk 7.

1. Day Two

First, the birds' eye view of our program.

```
module ADVENTOFCODE.Y2015.DAY02 where

  ⟨Imported modules 2⟩
  ⟨Type definitions 7⟩
  ⟨Functions 4⟩

  solve :: FilePath → IO ()
  solve  $\triangleq$  do
    input ← readFileUtf8 path
    case parse $ TEXT.unpack input of
      Left err → print err
      Right dims → print (solve_a dims, solve_b dims)
```

```
2.⟨Imported modules 2⟩≡
  import "text" DATA.TEXT qualified as TEXT
  import ADVENTOFCODE.LIB ( readFileUtf8 )
```

See also chunk 8.

This code is used in chunk 1.

2. The elves wish to order paper to wrap their presents. We are given the following:

- Every present is a box (a perfect rectangular prism) and thus is characterised by three dimensions: length (l), width (w) and height (h).
- The surface area of a present is given by

$$2 \times l \times w + 2 \times w \times h + 2 \times h \times l$$

- A little extra paper is required for each present viz. the area of the smallest side.

How many total square feet of wrapping paper should they order?

```
⟨Functions 2⟩ ≡
  wrapping :: (Int, Int, Int) → Int
  wrapping lwh = surfaceArea lwh + (area · shortest_dims) lwh

  surface_area :: (Int, Int, Int) → Int
  surface_area (l, w, h) = 2 × l × w + 2 × w × h + 2 × h × l

  shortest_dims :: (Int, Int, Int) → (Int, Int)
```

```

shortest_dims (a , b , c) = let
  [ x , y , z ] = LIST.sort [ a , b , c ]
  in (x , y)

```

```

area :: (Int , Int) → Int
area = uncurry (×)

```

See also chunks 3, 4 and 5.

This code is used in chunk 1.

3. Given a list of triples representing the length, width and height of a present, we compute the total wrapping paper needed by traversing the list, accumulating the wrapping paper computed for each present.

```

⟨Functions 2⟩ ≡
  solve_a :: [ (Int , Int , Int) ] → Const (Sum Int) [ a ]
  solve_a ≙ traverse f
  where
    f :: (Int , Int , Int) → Const (Sum Int) a
    f ≙ Const · Sum · wrapping

```

This code is used in chunk 1.

4. For the second part of the problem, we are told that each wrapped present must also have a ribbon.

- “The ribbon required to wrap a present is the shortest distance around its size, or the smallest perimeter of any one face.”
- “Each present requires a bow made out of ribbon...the feet of ribbon required is equal to the volume of the present.”

How many feet of ribbon is needed in total?

```

⟨Functions 2⟩ ≡
  ribbon :: (Int , Int , Int) → Int
  ribbon lwh ≙ volume lwh + (perimeter · shortest_dims) lwh

  volume :: (Int , Int , Int) → Int
  volume (l , w , h) ≙ l × w × h

  perimeter :: (Int , Int) → Int
  perimeter (a , b) ≙ 2 × (a + b)

  solve_b :: [ (Int , Int , Int) ] → Const (Sum Int) [ a ]

```

```

solve_b  $\triangleq$  traverse f
where
  f :: (Int , Int , Int)  $\rightarrow$  Const (Sum Int) a
  f  $\triangleq$  Const . Sum . ribbon

```

This code is used in chunk 1.

5. Our algorithms work by traversing a list of triples. However the input to our program is a text file where each line in the file is comprised of three numbers separated by the `x` character e.g. `4x23x21` We use the following parsing functions to obtain a list of triples from the input text.

```

⟨Functions 2⟩  $\equiv$ 
  parse :: String
         $\rightarrow$  Either (ParseErrorBundle String Error) [ (Int , Int , Int) ]
  parse  $\triangleq$  runParser (dimensions 'sepBy' newline)

  dimensions :: Parser (Int , Int , Int)
  dimensions  $\triangleq$  do
    l  $\leftarrow$  decimal
    char 'x'
    w  $\leftarrow$  decimal
    char 'x'
    h  $\leftarrow$  decimal
    pure (l, w, h)

```

This code is used in chunk 1.

```

7.⟨Type definitions 7⟩  $\equiv$ 
  type Parser a  $\triangleq$  Parsec Error [ Chars ] a
  type Error  $\triangleq$  Text

```

This code is used in chunk 1.

8. The types and functions for parsing are found in the `megaparsec` package.

```

⟨Imported modules 2⟩  $\equiv$ 
  import "megaparsec" TEXT.MEGAPARSEC (Parsec, ParseErrorBundle,
    sepBy, runParser)
  import "megaparsec" TEXT.MEGAPARSEC.CHAR (char, newline)
  import "megaparsec" TEXT.MEGAPARSEC (decimal)

```

This code is used in chunk 1.