

## Independent Events

If the outcome of an event has no effect on the outcome of another, those two events are said to be **independent events**.

Flipping a **penny**



$$\text{Heads} = \frac{1}{2}$$

$$\text{Tails} = \frac{1}{2}$$

Flipping a **nickel**



$$\text{Heads} = \frac{1}{2}$$

$$\text{Tails} = \frac{1}{2}$$

The outcome of flipping a **penny** has no effect on the outcome of flipping a **nickel**.

The outcome of flipping a **nickel** has no effect on the outcome of flipping a **penny**.

Flipping a **penny** and flipping a **nickel** are considered to be **independent events**.

## Independent Events

To find the **probability** of two or more **independent events** occurring, multiply the probabilities of the individual events together.

Flipping a **penny**



$$\text{Heads} = \frac{1}{2}$$

$$\text{Tails} = \frac{1}{2}$$

Flipping a **nickel**



$$\text{Heads} = \frac{1}{2}$$

$$\text{Tails} = \frac{1}{2}$$

Probability of flipping a **heads** with a **penny** and a **tail** with a **nickel**.

## Independent Events

Probability of flipping a **tail** with a **penny** and rolling a **3** with a **die**.

Flipping a **penny**



Heads =  $\frac{1}{2}$

Tails =  $\frac{1}{2}$

Rolling a **die**



(P)1 =  $\frac{1}{6}$  (P)2 =  $\frac{1}{6}$

(P)3 =  $\frac{1}{6}$  (P)4 =  $\frac{1}{6}$

(P)5 =  $\frac{1}{6}$  (P)6 =  $\frac{1}{6}$

## Independent Events

Probability of picking a **diamond** from a **deck of cards** and not rolling a **4** with a **die**.

Picking a **diamond**

♦ A 2 3 4 5 6 7 8 9 10 J Q K

♥ A 2 3 4 5 6 7 8 9 10 J Q K

♣ A 2 3 4 5 6 7 8 9 10 J Q K

♠ A 2 3 4 5 6 7 8 9 10 J Q K

Rolling a **die**



(P)1 =  $\frac{1}{6}$  (P)2 =  $\frac{1}{6}$

(P)3 =  $\frac{1}{6}$  (P)4 =  $\frac{1}{6}$

(P)5 =  $\frac{1}{6}$  (P)6 =  $\frac{1}{6}$

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