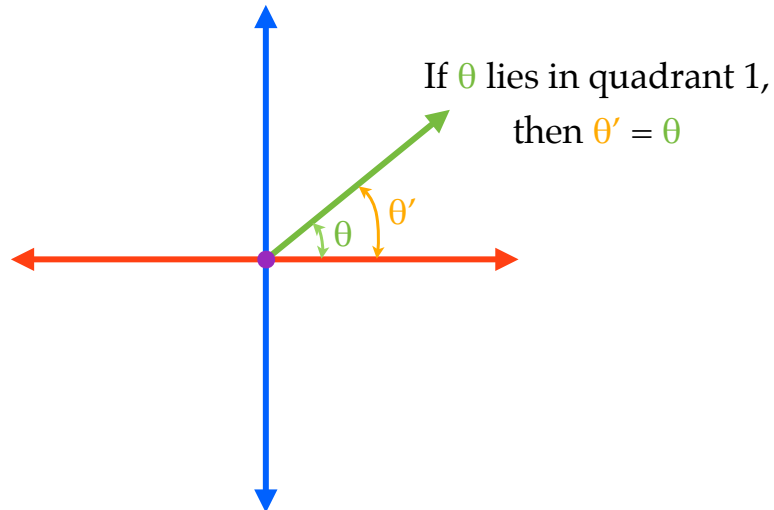
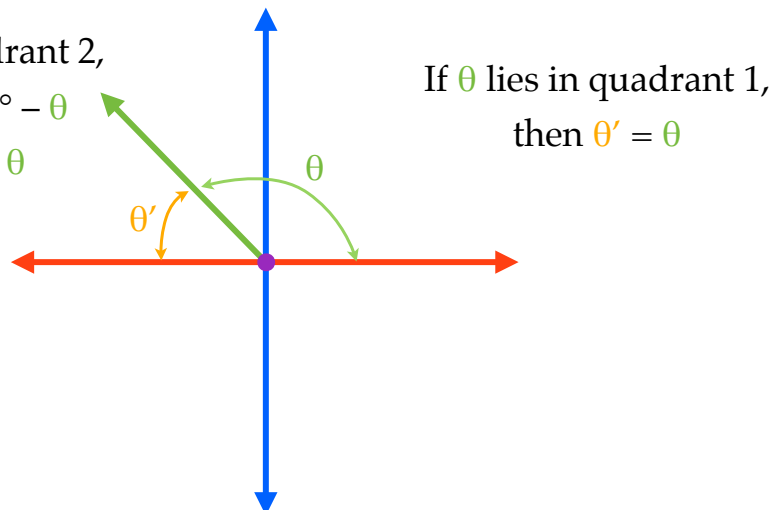


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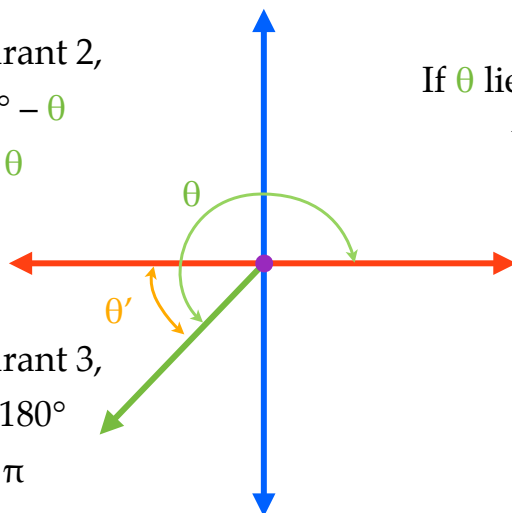
If θ lies in quadrant 1,

$$\text{then } \theta' = \theta$$

If θ lies in quadrant 3,

$$\text{then } \theta' = \theta - 180^\circ$$

$$\text{or } \theta' = \theta - \pi$$



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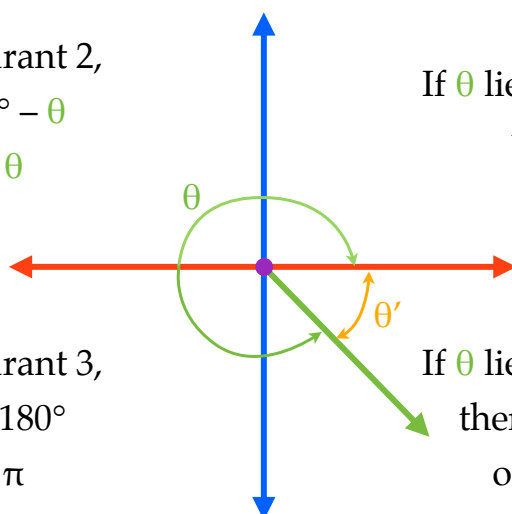
$$\text{then } \theta' = \theta - 180^\circ$$

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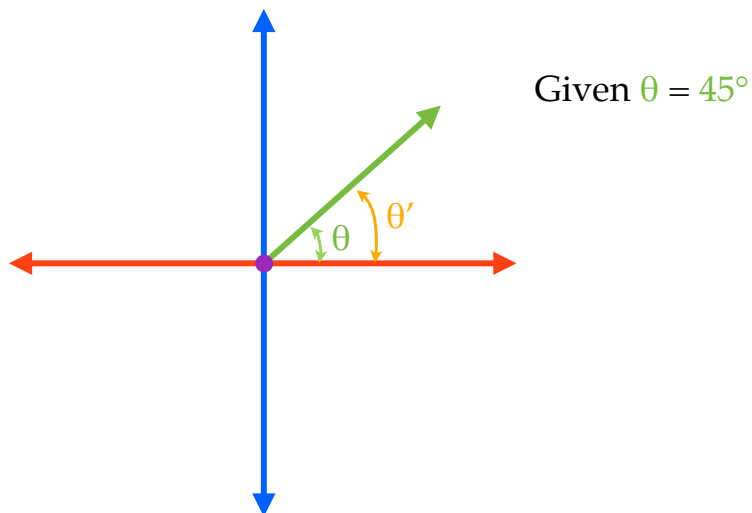
If θ lies in quadrant 4,

$$\text{then } \theta' = 360^\circ - \theta$$

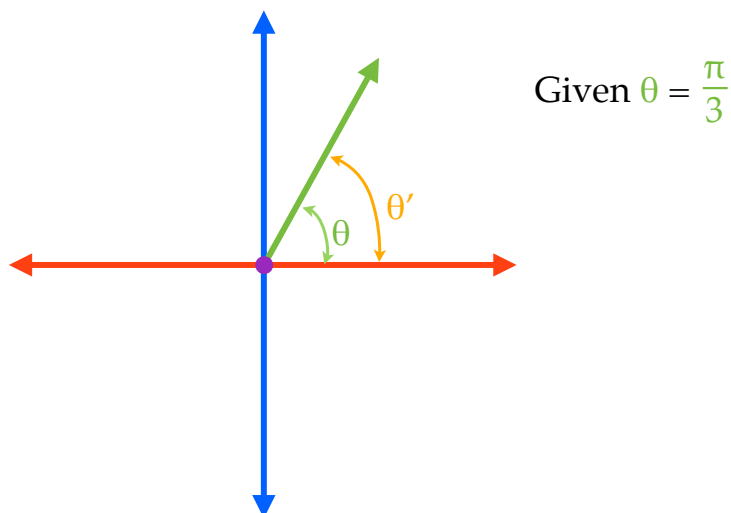
$$\text{or } \theta' = 2\pi - \theta$$



Given θ is in standard position, the **reference angle** of θ , noted θ' , is the acute angle formed by the **terminal side** of θ and the **horizontal x -axis**.

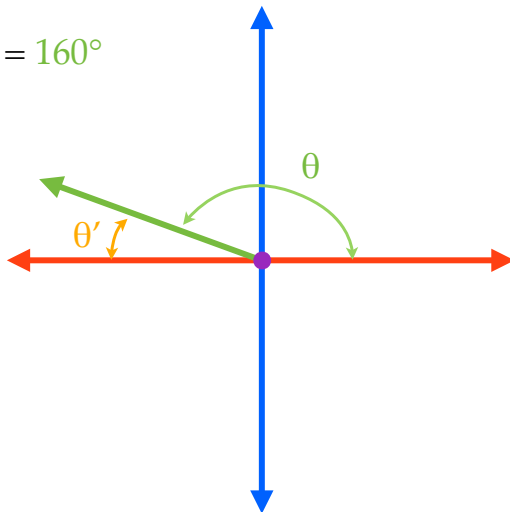


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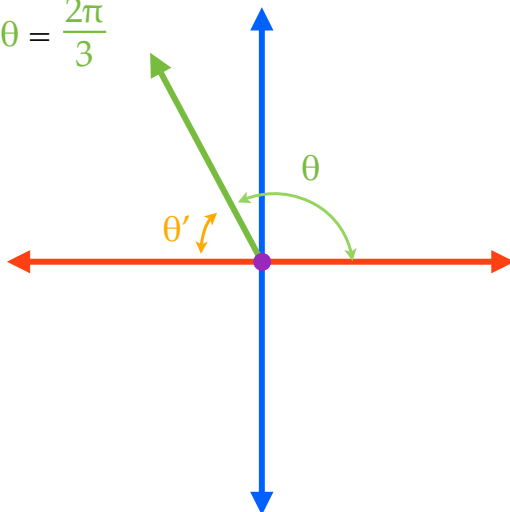
Given θ is in standard position, the **reference angle** of θ , noted θ' , is the acute angle formed by the **terminal side** of θ and the **horizontal x -axis**.

Given $\theta = 160^\circ$

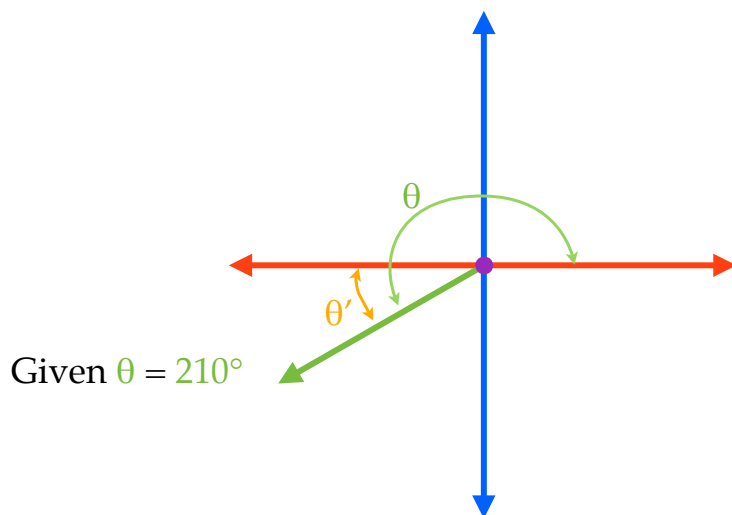


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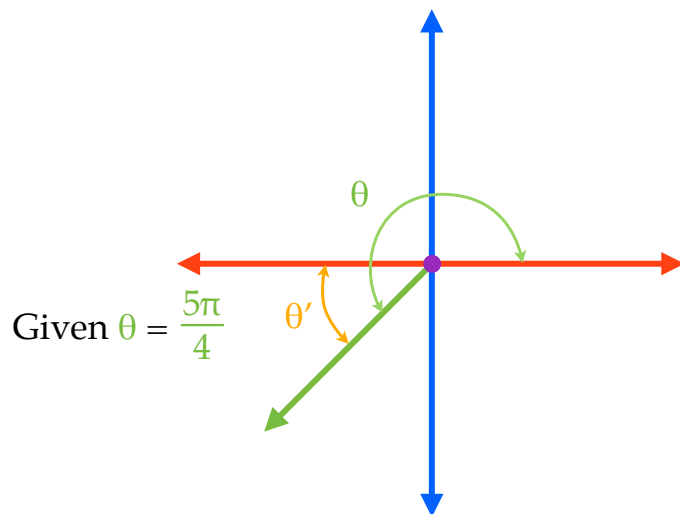
Given $\theta = \frac{2\pi}{3}$



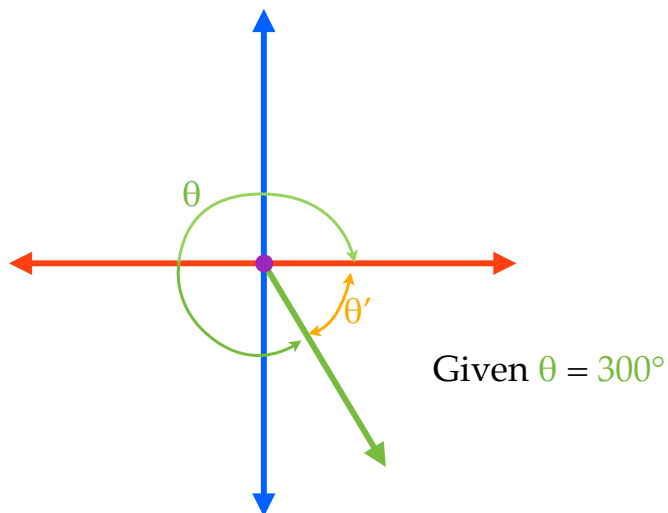
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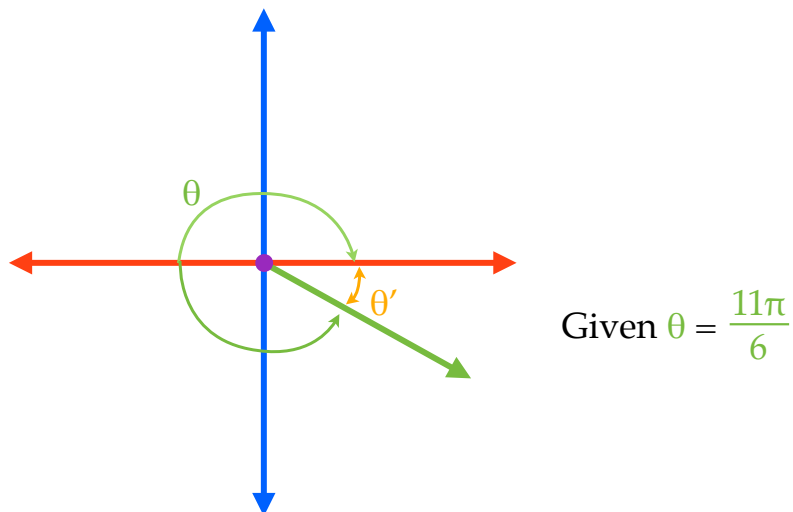
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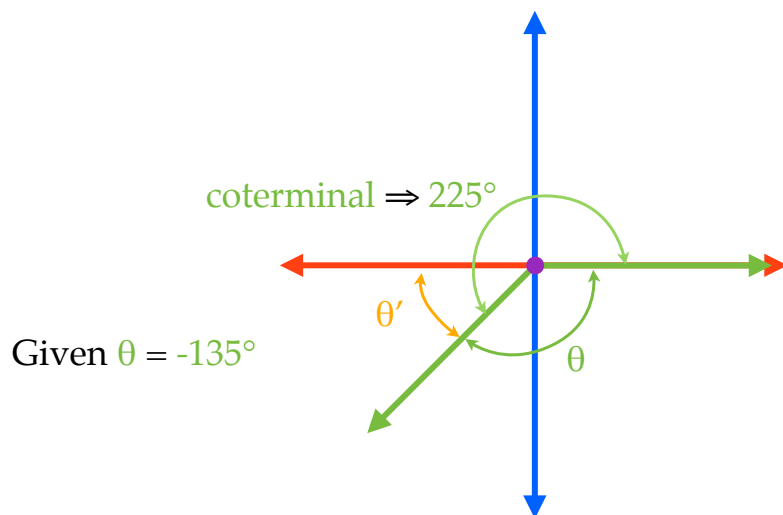
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