

A **transformation** in which all points of a figure are **rotated** around a particular **point of rotation**.



NOTE: The **image** is congruent to the **preimage**, so a **rotation** is an **isometry**.

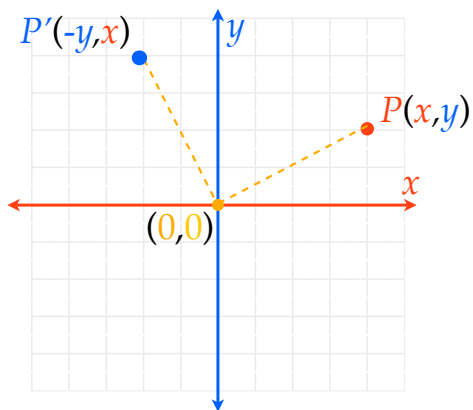
A **transformation** in which all points of a figure are **rotated** around a particular **point of rotation**.



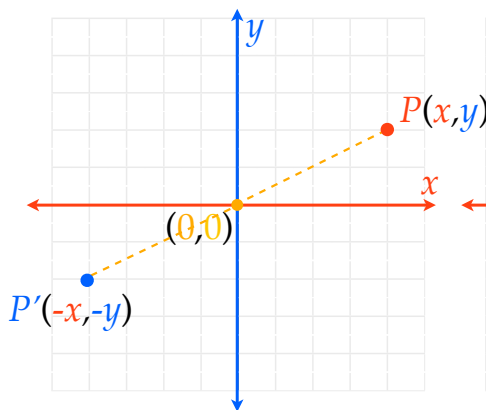
NOTE: The **image** is congruent to the **preimage**, so a **rotation** is an **isometry**.

Within the coordinate plane, counterclockwise around the origin

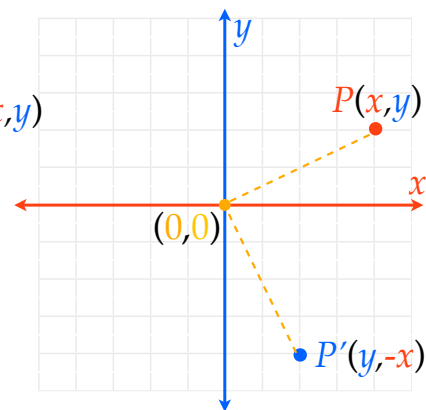
90° counterclockwise



180° counterclockwise

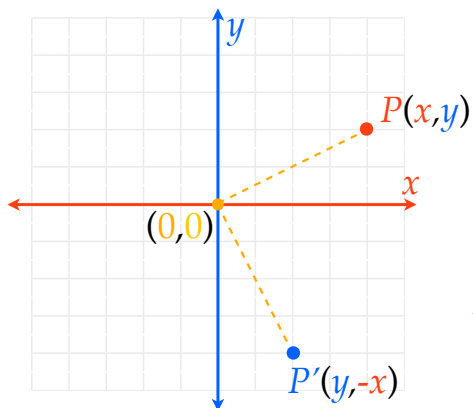


270° counterclockwise

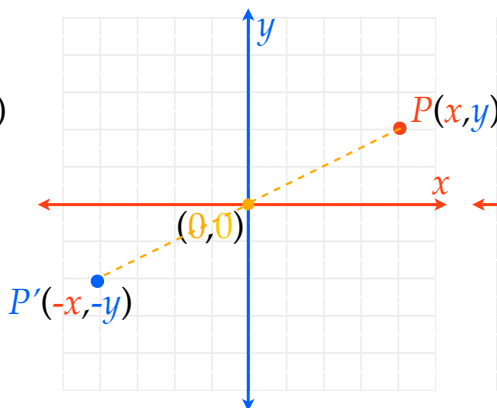


Within the coordinate plane, clockwise around the origin

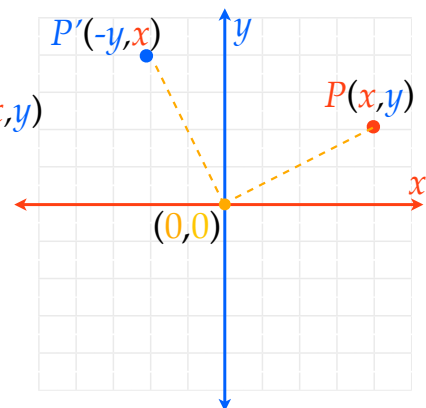
90° clockwise



180° clockwise



270° clockwise



Rotation within the coordinate plane

90° counterclockwise

$$P(x,y) \rightarrow P'(-y,x)$$

180° counterclockwise

$$P(x,y) \rightarrow P'(-x,-y)$$

270° counterclockwise

$$P(x,y) \rightarrow P'(y,-x)$$

90° clockwise

$$P(x,y) \rightarrow P'(y,-x)$$

180° clockwise

$$P(x,y) \rightarrow P'(-x,-y)$$

270° clockwise

$$P(x,y) \rightarrow P'(-y,x)$$

90° counterclockwise

270° clockwise

$$P(x,y) \rightarrow P'(-y,x)$$

180° counterclockwise

180° clockwise

$$P(x,y) \rightarrow P'(-x,-y)$$

270° counterclockwise

90° clockwise

$$P(x,y) \rightarrow P'(y,-x)$$

(2,5)

90° counterclockwise

270° clockwise

$$P(2,5) \rightarrow$$

180° counterclockwise

180° clockwise

$$P(2,5) \rightarrow$$

270° counterclockwise

90° clockwise

$$P(2,5) \rightarrow$$

Rotate the following figure around the origin 90° clockwise.

Rotating 90° clockwise

$$P(x,y) \rightarrow P'(y,-x)$$

$$A(-2,-5) \rightarrow$$

$$B(5,-7) \rightarrow$$

$$C(4,3) \rightarrow$$

