

Central Angle

A **central angle** is an angle whose **vertex** is at the **center** of the **circle**.

$\angle VAW$ and $\angle CAB$ are **central angles**

Arc

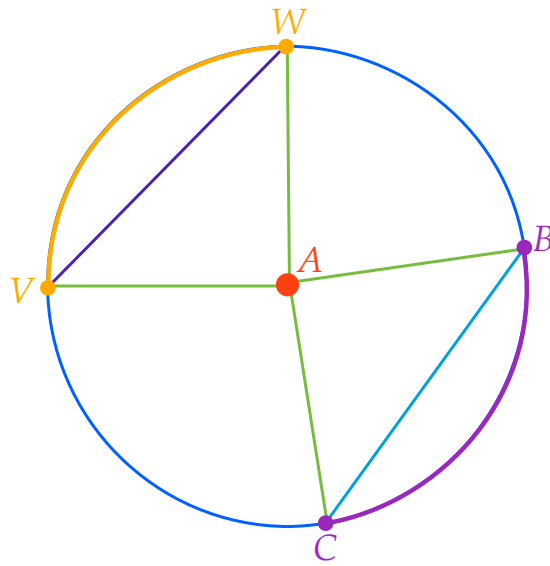
An **arc** is an unbroken piece of a **circle**.

\widehat{VW} and \widehat{CB} are **arcs**

Chord

A **chord** of a **circle** is a segment whose endpoints are on the **circle**.

\overline{VW} and \overline{CB} are **chords**

**Conclusions**

Congruent **central angles** have congruent **chords**.

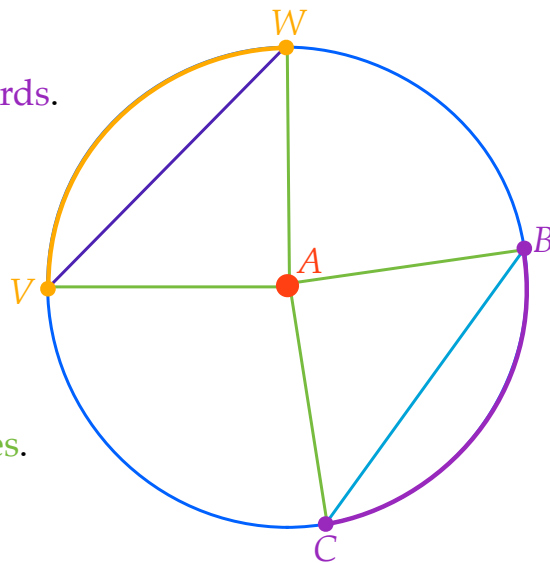
if $\angle VAW \cong \angle CAB$, then $\overline{VW} \cong \overline{CB}$

Congruent **chords** have congruent **arcs**.

if $\overline{VW} \cong \overline{CB}$, then $\widehat{VW} \cong \widehat{CB}$

Congruent **arcs** have congruent **central angles**.

if $\widehat{VW} \cong \widehat{CB}$, then $\angle VAW \cong \angle CAB$



Conclusions

Congruent **central angles** have congruent **chords**.

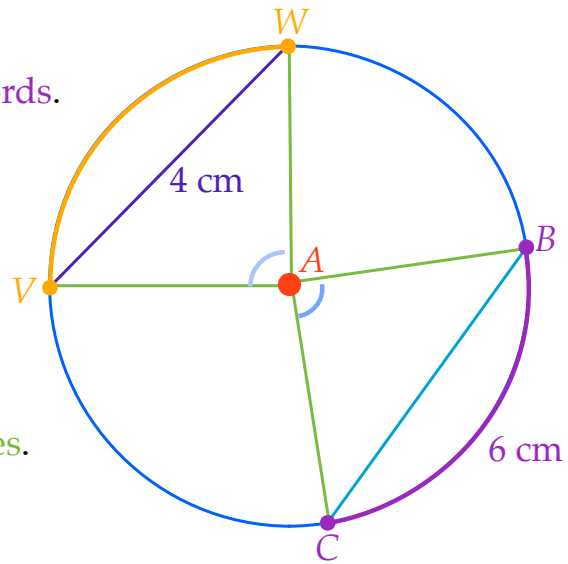
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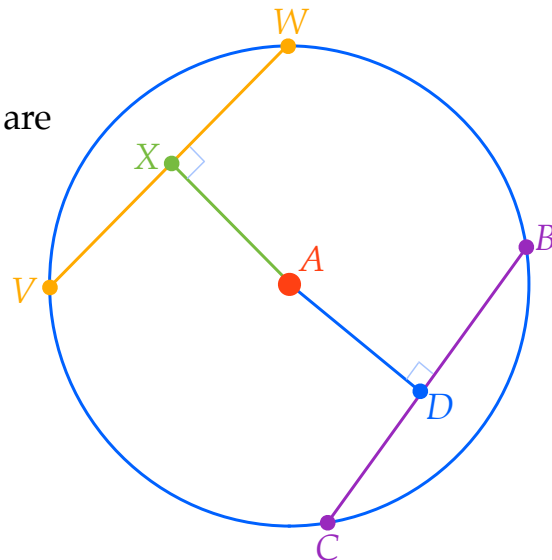
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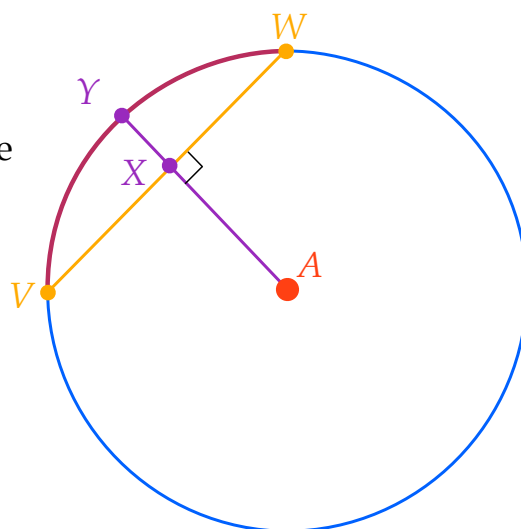
Two **chords** are congruent **if and only if** they are **equidistant** from the **center** of the **circle**.

if $\overline{VW} \cong \overline{CB}$,

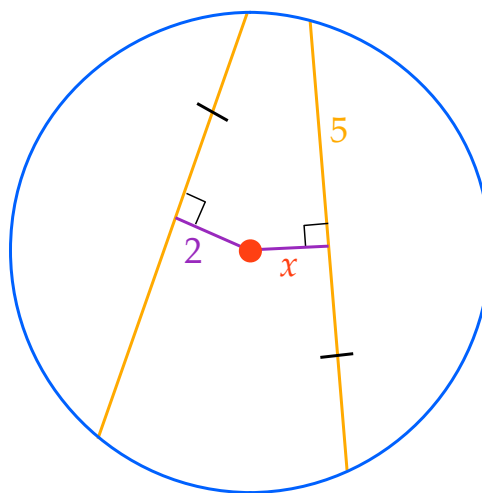
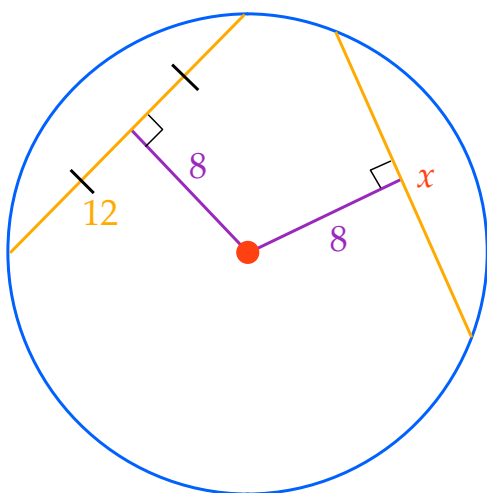
if $AX = AD$,



A radius perpendicular to a chord bisects the chord and its arc.



Solve for the value of x .



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