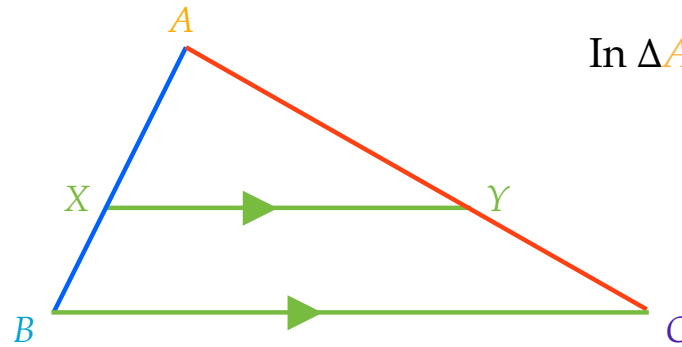


Triangle Proportionality and Its Converse

Name _____

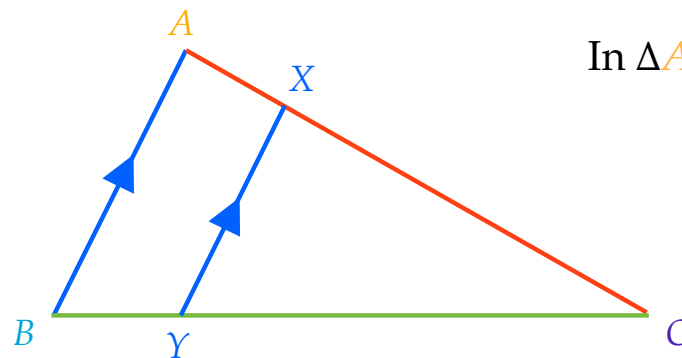
Date _____ Period _____

If a **line** is parallel to **one side** of a triangle and intersects the other **two sides**, then the **line** divides **those sides** proportionally.



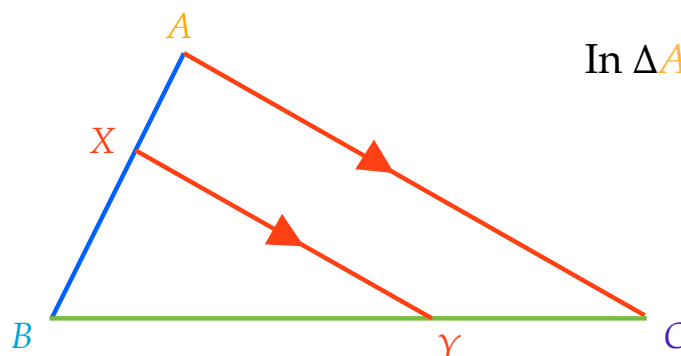
In $\triangle ABC$ if $\overline{XY} \parallel \overline{BC}$,

If a **line** is parallel to **one side** of a triangle and intersects the other **two sides**, then the **line** divides **those sides** proportionally.



In $\triangle ABC$ if $\overline{XY} \parallel \overline{AB}$,

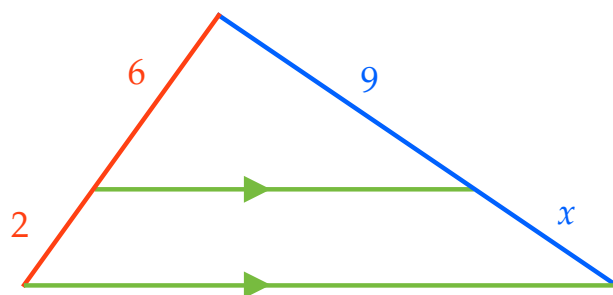
If a **line** is parallel to **one side** of a triangle and intersects the other **two sides**, then the **line** divides **those sides** proportionally.



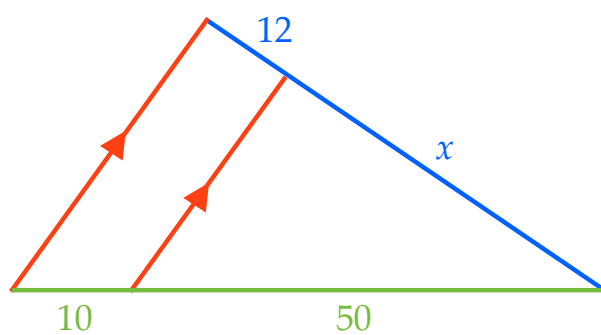
In $\triangle ABC$ if $\overline{XY} \parallel \overline{AC}$,

Statements	Reasons
	Given: $\triangle ABC$ and $\overline{XY} \parallel \overline{BC}$
	Prove: $\frac{BX}{XA} = \frac{YC}{YA}$

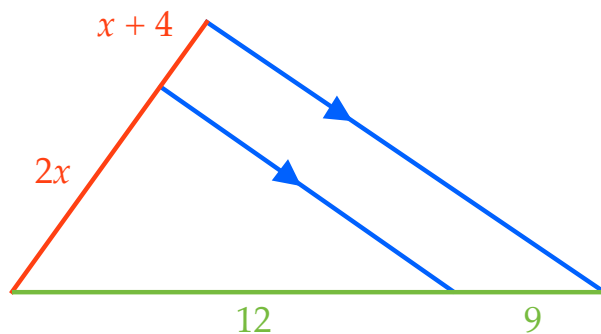
Use the Side Splitter Theorem to solve for x .



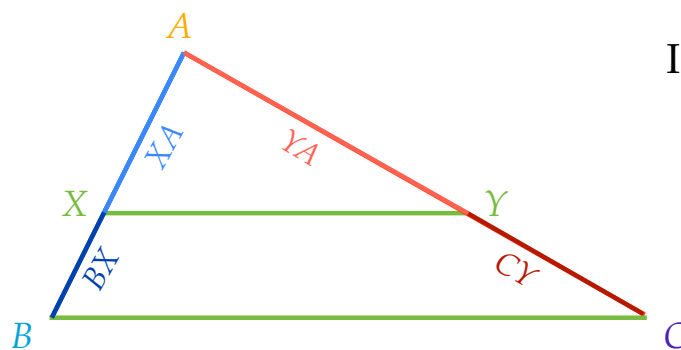
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Use the Side Splitter Theorem to solve for x .

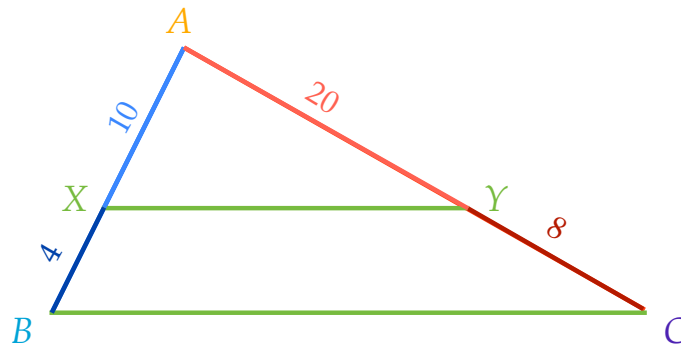


Converse: If a **line** inside a triangle intersects **two sides** and divides **those sides** into corresponding sides of proportional lengths, then the **line** is parallel to the **third side**.



$$\text{If } \frac{BX}{XA} = \frac{CY}{YA}$$

Determine if $\overline{XY} \parallel \overline{BC}$



Determine if $\overline{XY} \parallel \overline{AB}$

