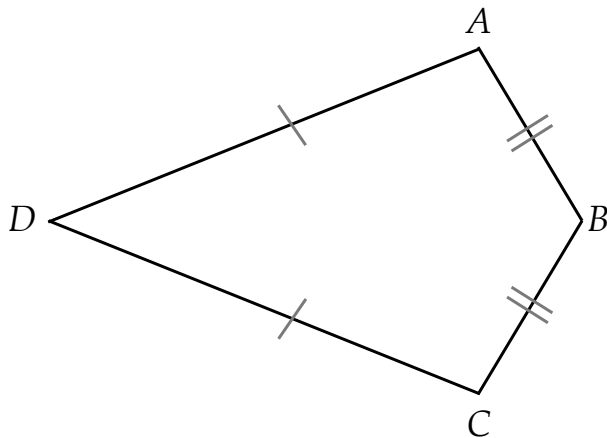


## Kite

A **kite** is quadrilateral with exactly two distinct pairs of adjacent congruent sides.

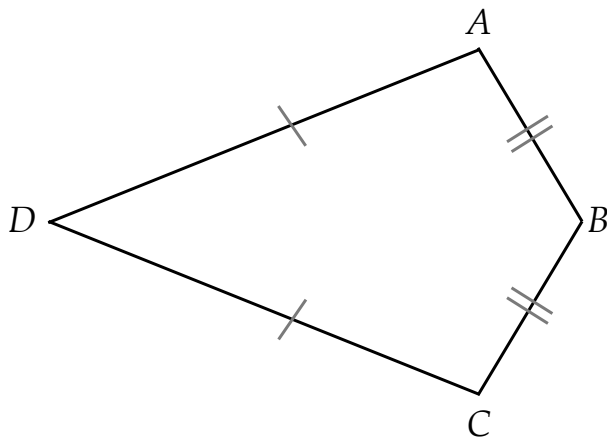


$\overline{DA}$  and  $\overline{DC}$  is one pair of adjacent congruent sides

$\overline{AB}$  and  $\overline{BC}$  is the other pair of adjacent congruent sides

## Kite

A **kite** is quadrilateral with exactly two distinct pairs of adjacent congruent sides.

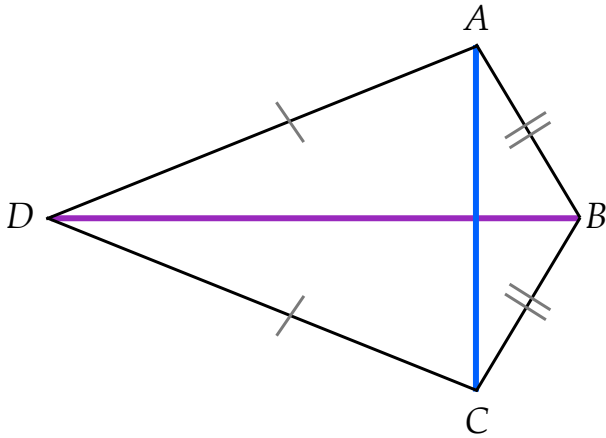


Properties of a **Kite**

The **angles** between **two non-congruent** sides of a **kite** are congruent.

# Kite

A **kite** is quadrilateral with exactly two distinct pairs of adjacent congruent sides.



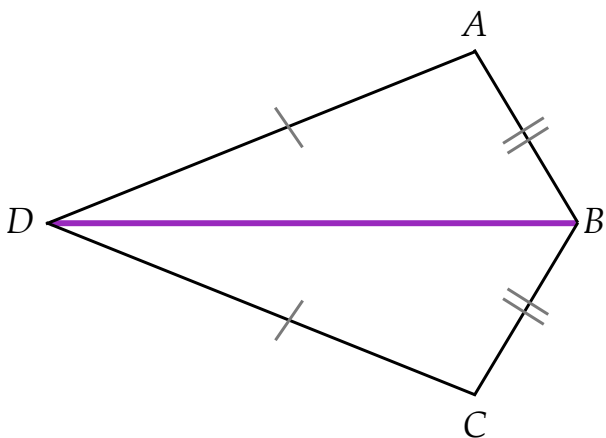
Properties of a **Kite**

The diagonals of a **kite** are perpendicular

$\overline{DB}$  and  $\overline{AC}$  are diagonals of kite  $ABCD$

# Kite

A **kite** is quadrilateral with exactly two distinct pairs of adjacent congruent sides.



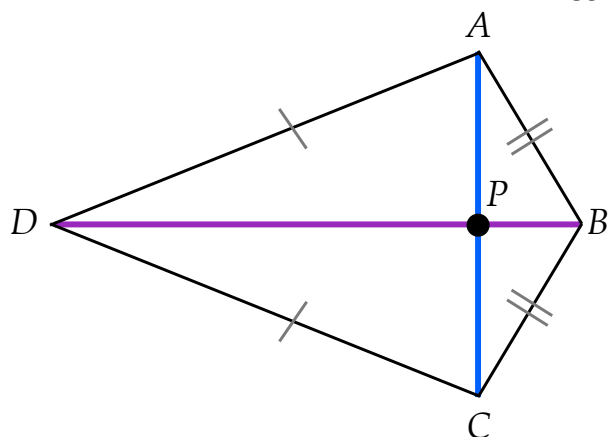
Properties of a **Kite**

A diagonal bisects the **two non-congruent** angles

$\angle D$  and  $\angle B$  are the **two non-congruent** angles of **kite**  $ABCD$ .

# Kite

A **kite** is quadrilateral with exactly two distinct pairs of adjacent congruent sides.



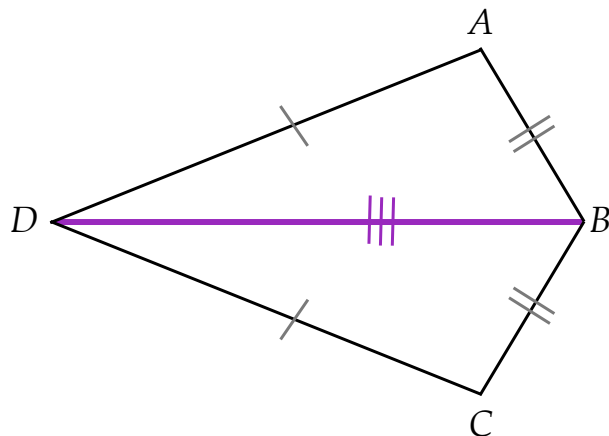
Properties of a **Kite**

One **diagonal** bisects the **other diagonal**

$\overline{DB}$  bisects  $\overline{AC}$

# Kite

A **kite** is quadrilateral with exactly two distinct pairs of adjacent congruent sides.

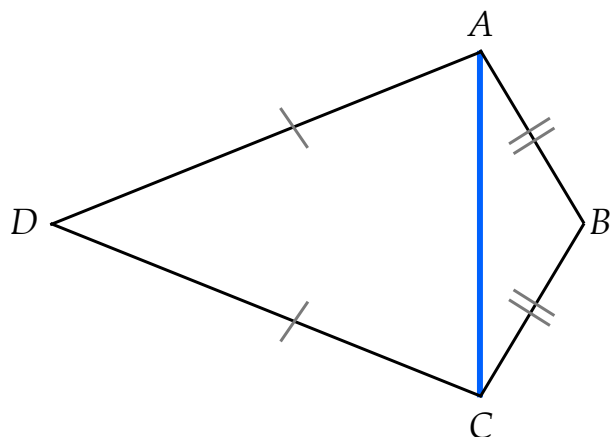


Triangles in a **Kite**

$\triangle ABD \cong \triangle CBD$

# Kite

A **kite** is quadrilateral with exactly two distinct pairs of adjacent congruent sides.



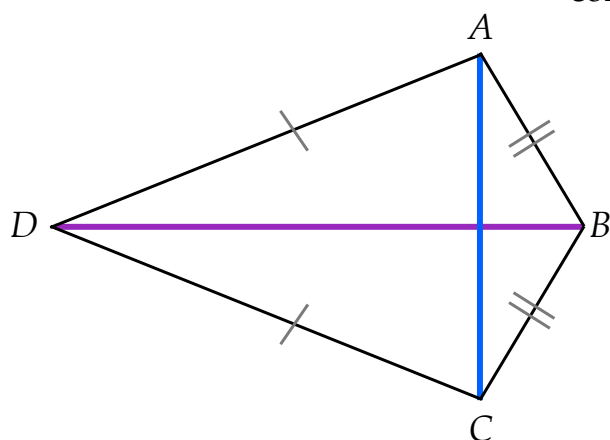
Triangles in a **Kite**

$$\triangle ABD \cong \triangle CBD$$

$\triangle DAC$  and  $\triangle ABC$  are isosceles triangles

# Kite

A **kite** is quadrilateral with exactly two distinct pairs of adjacent congruent sides.



Triangles in a **Kite**

$$\triangle ABD \cong \triangle CBD$$

$\triangle DAC$  and  $\triangle ABC$  are isosceles triangles

$\triangle DPA$  is a right triangle

$\triangle APB$  is a right triangle

$\triangle DPC$  is a right triangle

$\triangle BPC$  is a right triangle

$$\triangle APD \cong \triangle CPD$$

$$\triangle APB \cong \triangle CPB$$