

What is a Hyperbola?

Hyperbola - the set of points such that the **difference** of the distances from **two given points** stays the same.

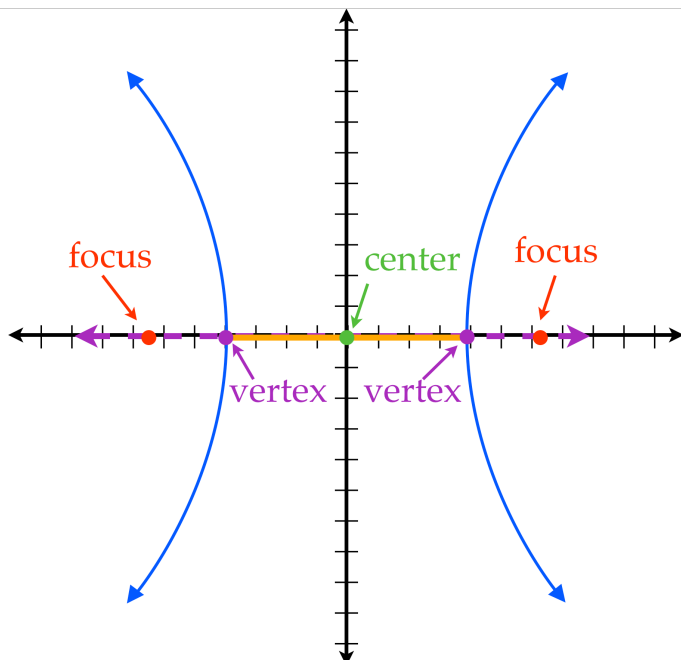
The given points are **focus points**.

The plural of **focus** is **foci**.

The midpoint of the segment joining the two **foci** is the **center** of the **hyperbola**.

Vertices occur at the intersection of line joining the **foci** and the **hyperbola**.

Transverse Axis is the segment that joins the two **vertices**.



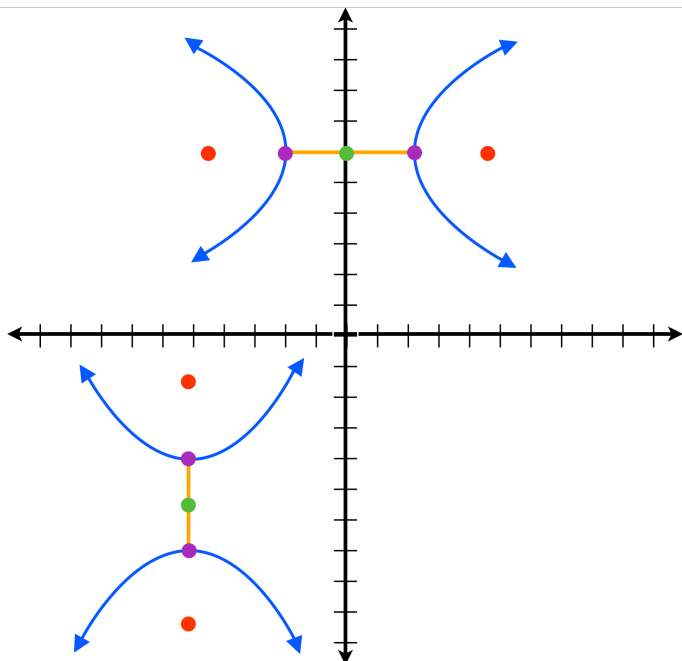
What is a Hyperbola?

Horizontal Hyperbola

the **transverse axis** runs horizontally
opens left and right

Vertical Hyperbola

the **transverse axis** runs vertically
opens up and down



The Equation of a **Hyperbola**?
with **center** (h,k)

Horizontal Hyperbola
the **transverse axis** runs horizontally

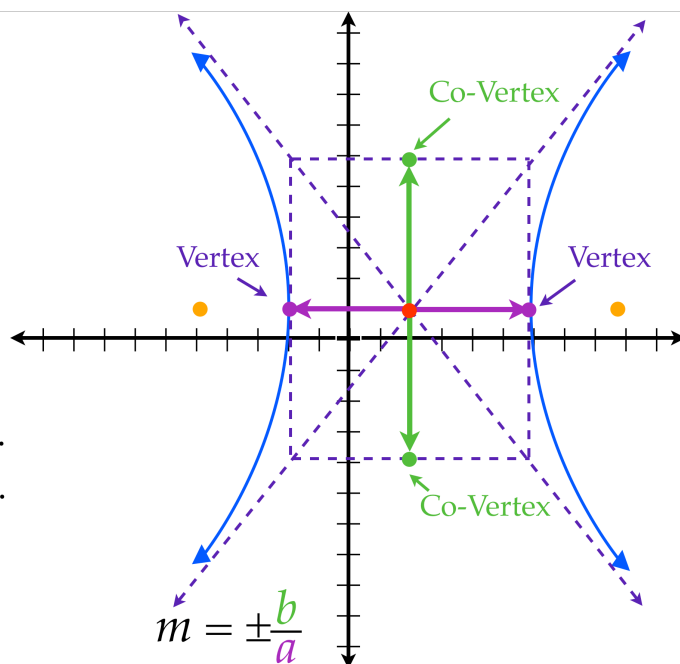
$$\frac{(x - h)^2}{a^2} - \frac{(y - k)^2}{b^2} = 1$$

a is the distance you travel in the x -direction.

b is the distance you travel in the y -direction.

Foci: $a^2 + b^2 = c^2$ **Solve for c**

Travel c units along transverse axis.



The Equation of a **Hyperbola**?
with **center** (h,k)

Vertical Hyperbola
the **transverse axis** runs vertically

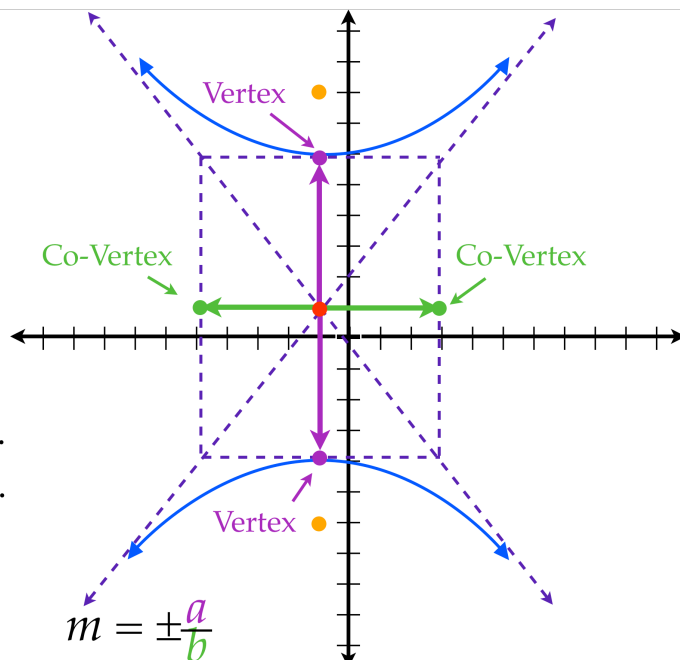
$$\frac{(y - k)^2}{a^2} - \frac{(x - h)^2}{b^2} = 1$$

a is the distance you travel in the y -direction.

b is the distance you travel in the x -direction.

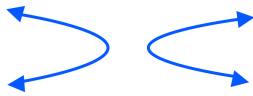
Foci: $a^2 + b^2 = c^2$ **Solve for c**

Travel c units along transverse axis.



What is a Hyperbola?

Horizontal Hyperbola



$$\frac{(x - h)^2}{a^2} - \frac{(y - k)^2}{b^2} = 1$$

Center

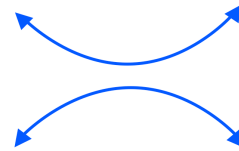
Vertices

Co-Vertices

Slope of
Asymptotes

Foci

Vertical Hyperbola



$$\frac{(y - k)^2}{a^2} - \frac{(x - h)^2}{b^2} = 1$$