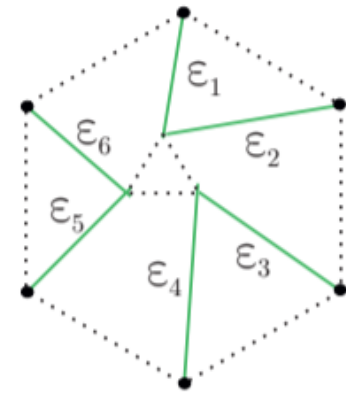
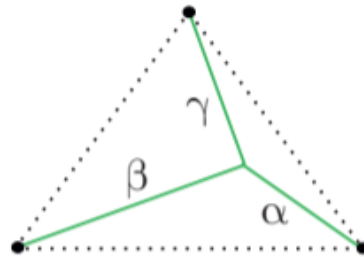
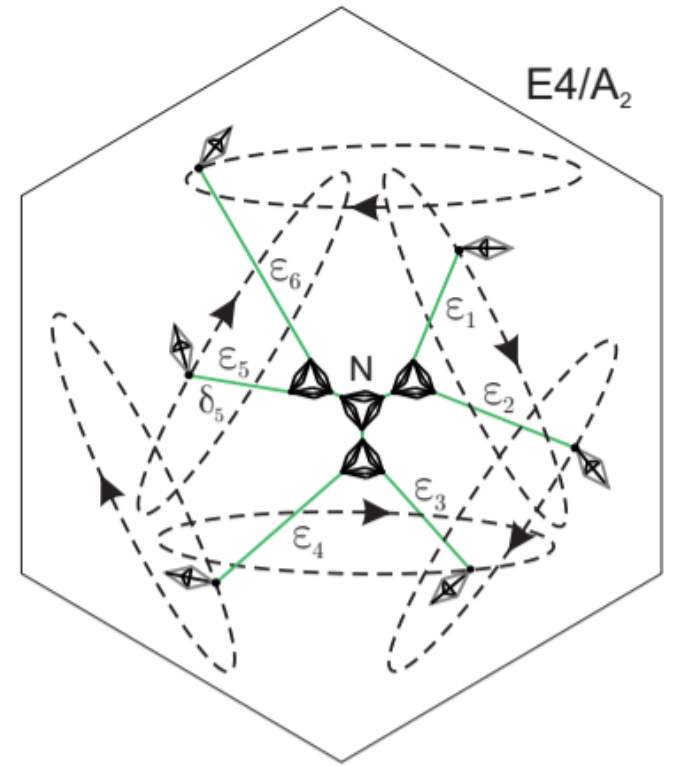
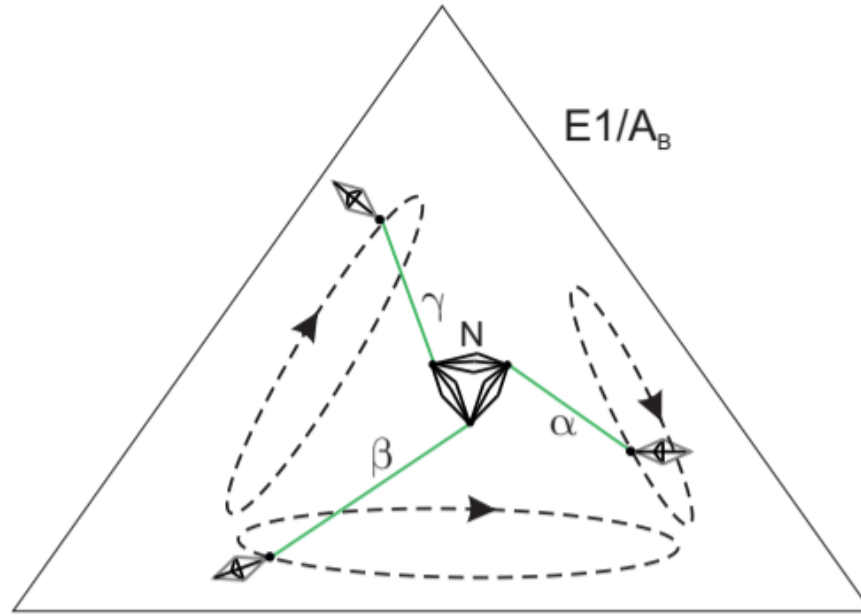


Abstraction of
Base Atom and
Second Level
Atom



Defining Elastic Potential-Energy Distribution within Atoms

$\Leftrightarrow [\alpha = E(l_1), \beta = E(l_2), \gamma = E(l_3)]$: Elastic potential Energy of T - Brane of Base element Atom, A_B

where, $[l_1, l_2, l_3]$: T - Brane String segments in, A_B

$\Rightarrow [E(l_1) \neq E(l_2) \neq E(l_3) \neq E(l_1)]$,

where, $\langle \beta | \alpha | \gamma \rangle = E(A_B) = \eta_q$: Elastic potential Energy of Base element Atom

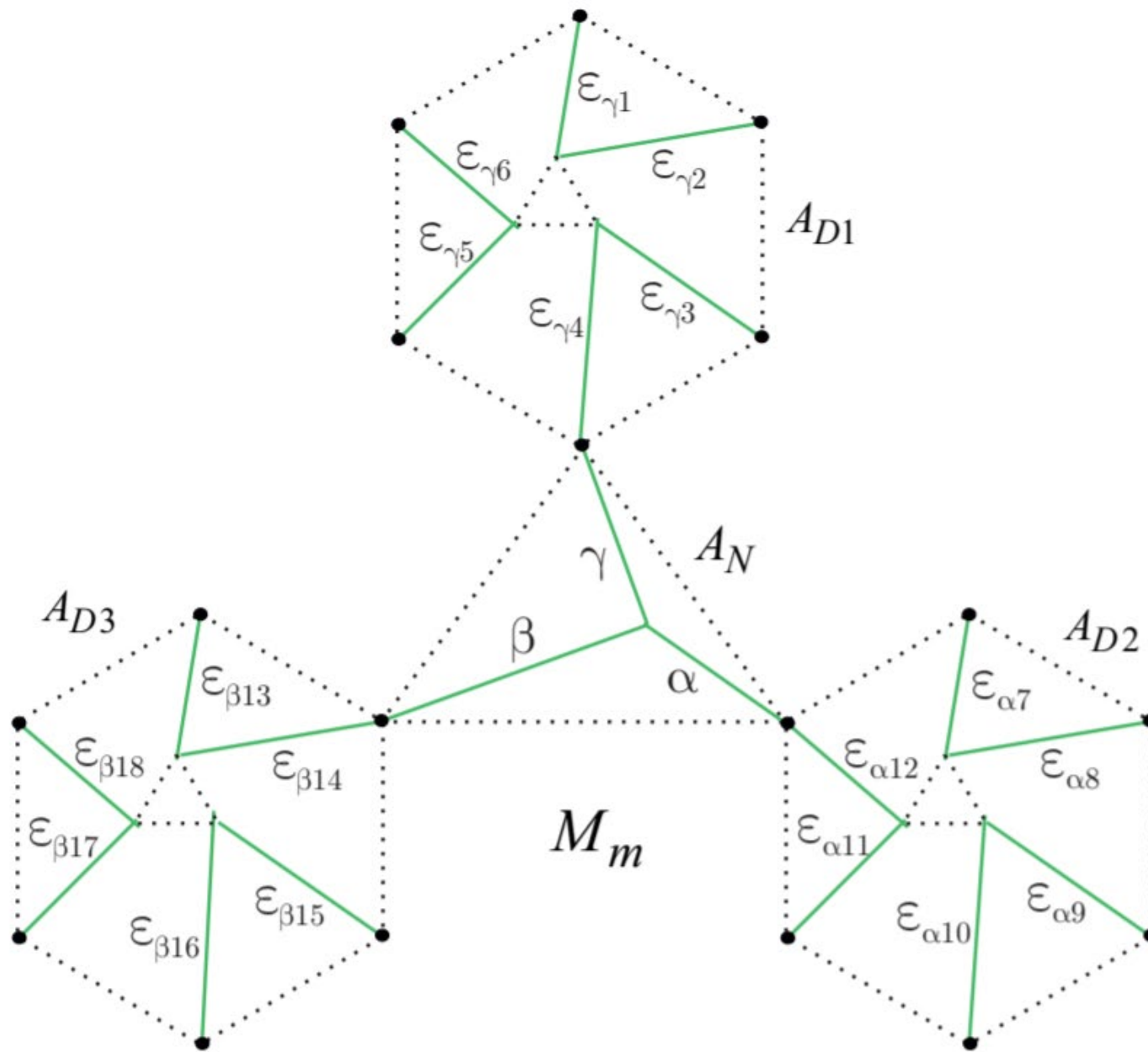
$\Leftrightarrow [\varepsilon_1, \varepsilon_2, \varepsilon_3, \varepsilon_4, \varepsilon_5, \varepsilon_6]$: Elastic potential Energy of T - Brane of Second Level Atom, A_2

$[l_{1A_2}, l_{2A_2}, l_{3A_2}, l_{4A_2}, l_{5A_2}, l_{6A_2}]$: T - Brane String segments in, A_2

where, $\varepsilon_1 = E(l_{1A_2}), \varepsilon_2 = E(l_{2A_2}), \varepsilon_3 = E(l_{3A_2}), \varepsilon_4 = E(l_{4A_2}), \varepsilon_5 = E(l_{5A_2}), \varepsilon_6 = E(l_{6A_2})$

$\Rightarrow \varepsilon_1 + \varepsilon_2 + \varepsilon_3 + \varepsilon_4 + \varepsilon_5 + \varepsilon_6 = \eta_2$: Elastic potential Energy of Base element Atom, A_2

Elastic Potential-
Energy
Distribution in a
Base Molecule



Elastic Potential-Energy Distribution in a Base Molecule

$\Leftrightarrow [A_B \equiv A_N]$: Atom with Declarative Potential-Energy of T-branes,

$[A_2 \equiv A_{D1} \vee A_{D2} \vee A_{D3}]$: Atom with Nondeclarative Potential-Energy between T-branes

where, $[\beta, \alpha, \gamma]$: Declarative Elastic potential Energy of the T-branes of, A_N

$[\varepsilon_1, \varepsilon_2, \varepsilon_3, \varepsilon_4, \varepsilon_5, \varepsilon_6]$: Nondeclarative Elastic potential Energy between T-branes of, A_{D1}

$[\varepsilon_7, \varepsilon_8, \varepsilon_9, \varepsilon_{10}, \varepsilon_{11}, \varepsilon_{12}]$: Nondeclarative Elastic potential Energy between T-branes of, A_{D2}

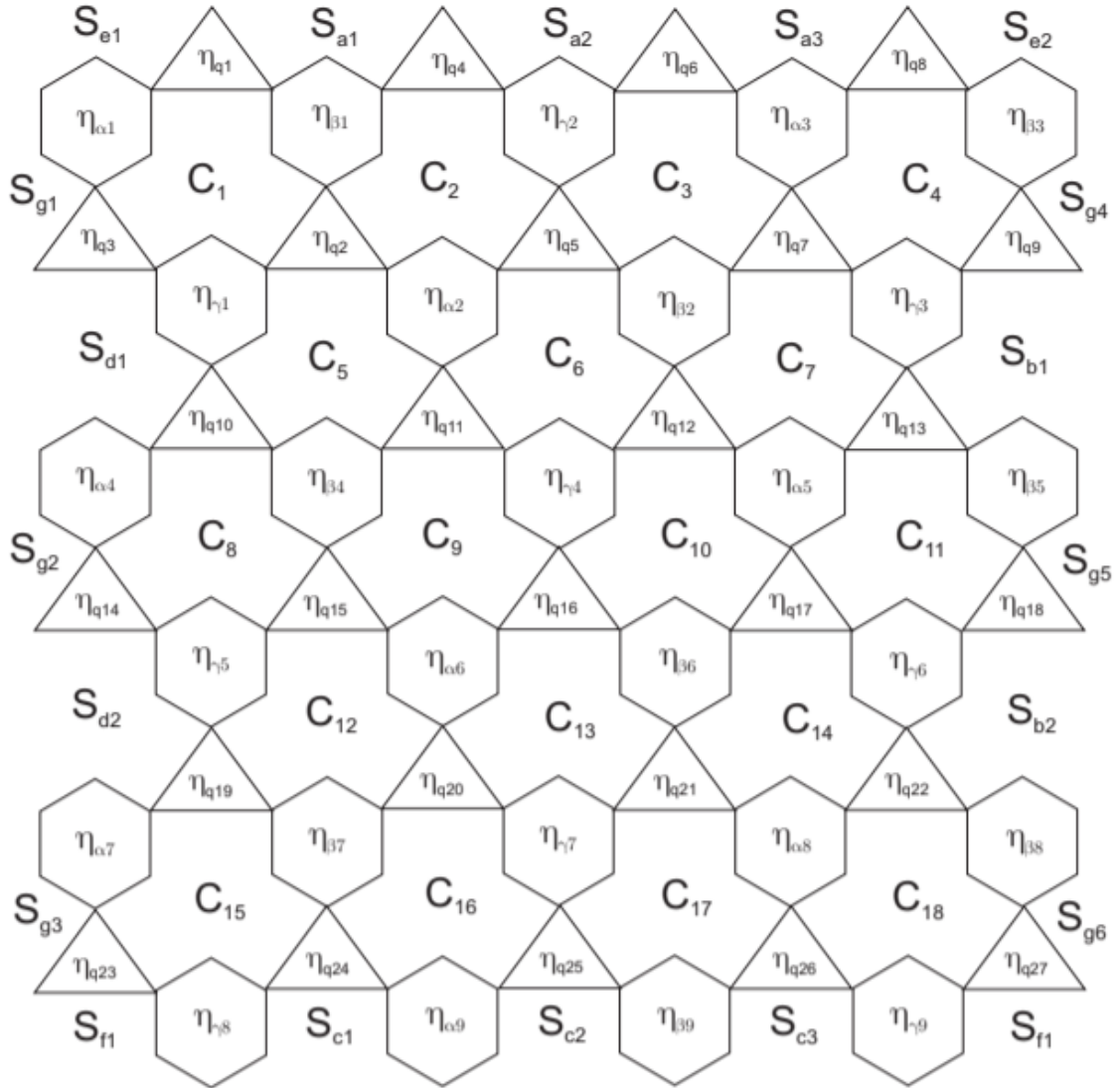
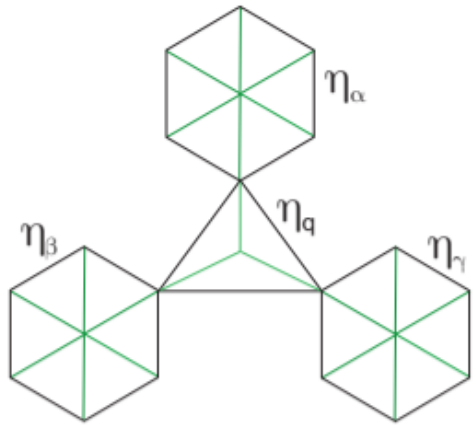
$[\varepsilon_{13}, \varepsilon_{14}, \varepsilon_{15}, \varepsilon_{16}, \varepsilon_{17}, \varepsilon_{18}]$: Nondeclarative Elastic potential Energy between T-branes of, A_{D3}

$$\Rightarrow \eta_q = |\beta \quad \alpha \quad \gamma| : \text{Potential-Energy of, } A_N, \quad \eta_c = \begin{vmatrix} \varepsilon_1 & \varepsilon_2 & \varepsilon_3 & \varepsilon_4 & \varepsilon_5 & \varepsilon_6 \\ \varepsilon_7 & \varepsilon_8 & \varepsilon_9 & \varepsilon_{10} & \varepsilon_{11} & \varepsilon_{12} \\ \varepsilon_{13} & \varepsilon_{14} & \varepsilon_{15} & \varepsilon_{16} & \varepsilon_{17} & \varepsilon_{18} \end{vmatrix} : \text{Potential-Energy of, } A_c$$

where, $[A_c = A_{D1} + A_{D2} + A_{D3}]$: Cluster of, A_2 Atoms, η_q : A relative quantum Value

$$\Rightarrow \eta_q \sim \eta_c = |\beta \quad \alpha \quad \gamma| \sim \begin{vmatrix} \varepsilon_1 & \varepsilon_2 & \varepsilon_3 & \varepsilon_4 & \varepsilon_5 & \varepsilon_6 \\ \varepsilon_7 & \varepsilon_8 & \varepsilon_9 & \varepsilon_{10} & \varepsilon_{11} & \varepsilon_{12} \\ \varepsilon_{13} & \varepsilon_{14} & \varepsilon_{15} & \varepsilon_{16} & \varepsilon_{17} & \varepsilon_{18} \end{vmatrix}$$

Base Molecule
Abstraction and
Lattice
distribution of
Declarative &
Nondeclarative
Potential-Energy



Lattice
Distribution of
Elastic
Potential-
Energy

$\Leftrightarrow \eta_c = \left[\eta_\alpha \quad \eta_\beta \quad \eta_\gamma \right]$: Second Level Atoms with different Potential-Energy states,
where, $\left[\eta_\alpha, \eta_\beta, \eta_\gamma \right]$: Submatrices of, η_c

\Leftrightarrow Least common multiples of Lattice, L :

$\left[\eta_{q1}, \eta_{q2}, \dots, \eta_{q27} \right]$: Potential-Energy Quanta, η_q of Base Atoms

$\left[\eta_{\alpha1}, \eta_{\alpha2}, \dots, \eta_{\alpha9} \right]$: Potential-Energies, η_α of Second Level Atoms

$\left[\eta_{\beta1}, \eta_{\beta2}, \dots, \eta_{\beta9} \right]$: Potential-Energies, η_β of Second Level Atoms

$\left[\eta_{\gamma1}, \eta_{\gamma2}, \dots, \eta_{\gamma9} \right]$: Potential-Energies, η_γ of Second Level Atoms

where, $\left[C_1, C_2, \dots, C_{18} \right]$: Closed Structures in the Lattice,

$\Rightarrow S_a : \left[S_{a1}, S_{a2}, S_{a3}, S_{a4} \right], S_b : \left[S_{b1}, S_{b2} \right], S_c : \left[S_{c1}, S_{c2}, S_{c3} \right], S_d : \left[S_{d1}, S_{d2} \right],$

$S_e : \left[S_{e1}, S_{e2} \right], S_f : \left[S_{f1}, S_{f2} \right], S_g : \left[S_{g1}, S_{g2}, S_{g3}, S_{g4}, S_{g5}, S_{g6} \right]$

where, $\left[S_a, S_b, S_c, S_d, S_e, S_f, S_g \right]$: Types of Lattice Sockets