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Early universe cosmology in internal relativity

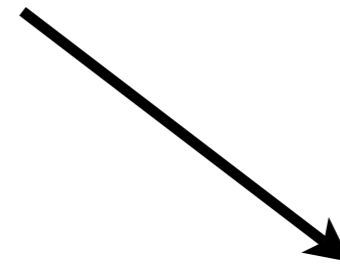
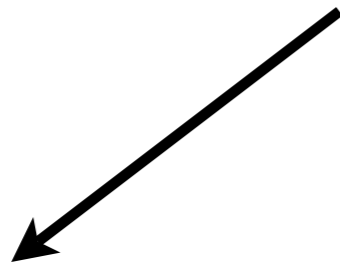
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2009 FQXi Azores
0805.3729

■ Two views of special relativity

Einstein

vs.

Lorentz/Bell



- Background $\eta_{\mu\nu}$
- Matter **conforms** to background

- Matter **defines** geometry

matter *on* geometry

vs.

geometry *from* matter

■ A comparison

Lorentz, Bell, ... :

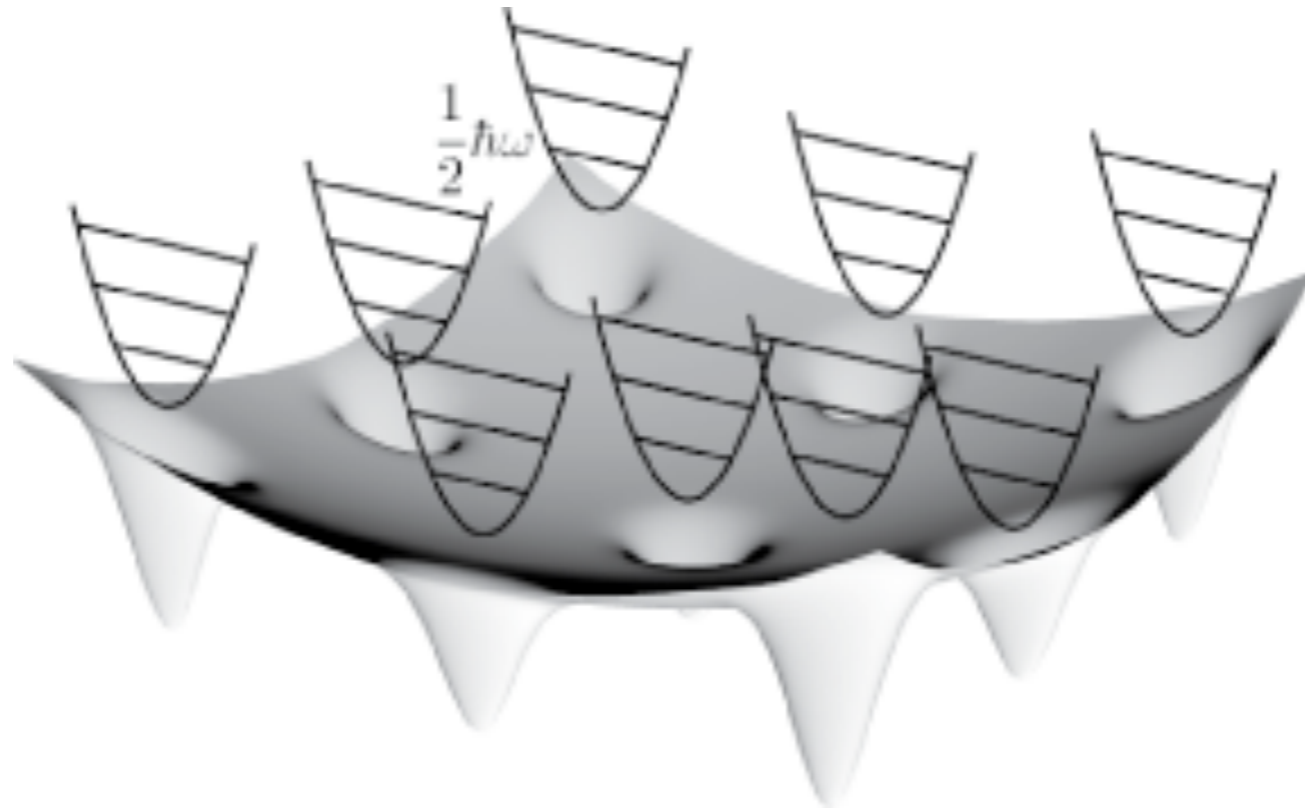
The physics of the system determines
the symmetries of the system

Einstein:

The symmetries of the system
are fixed by the background

Goal: Do for GR what Lorentz & Bell did
for special relativity.

■ cosmological constant



no matter on geometry



cosmological constant problem changes

■ A possibility: the emergence of spacetime

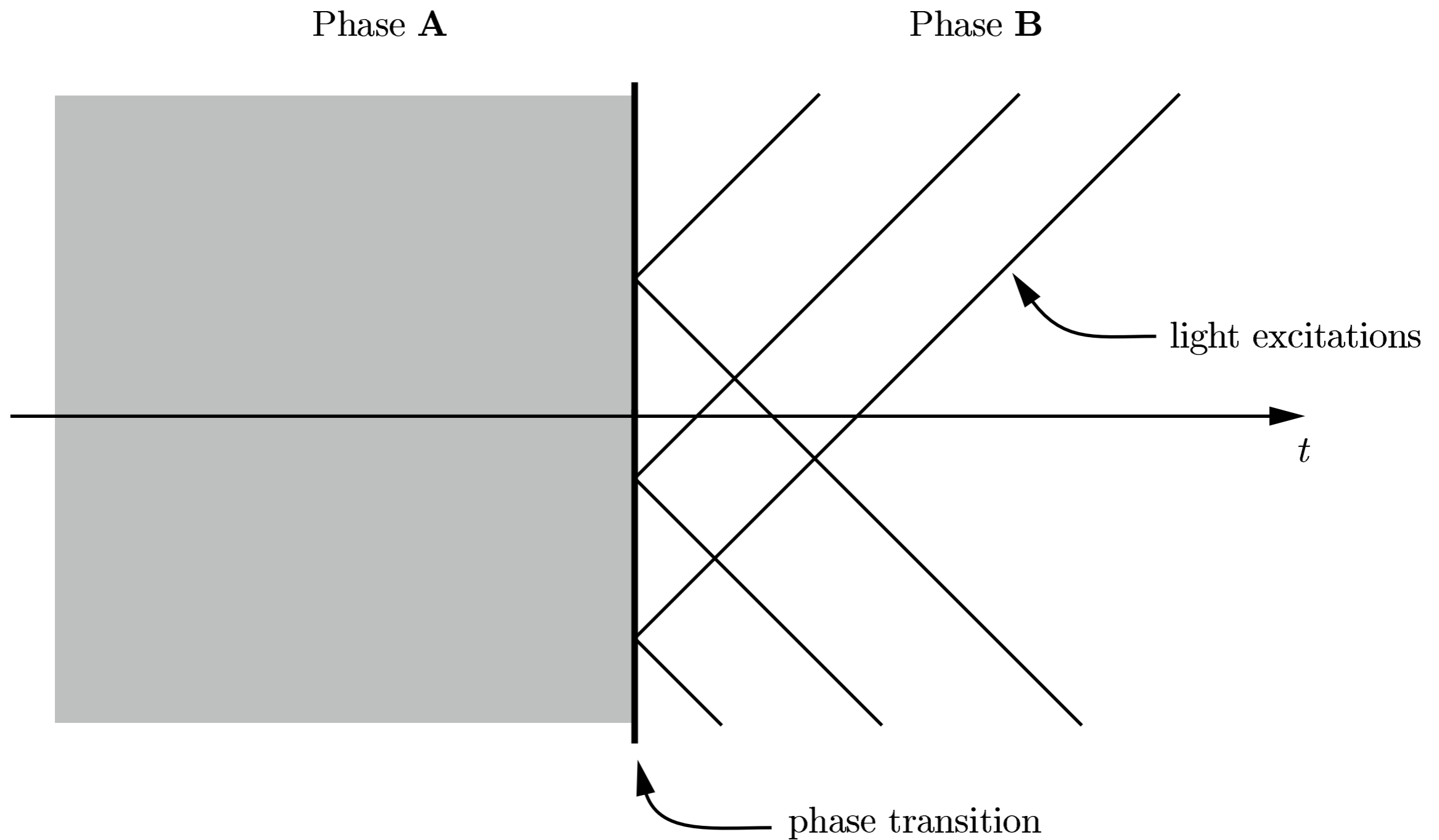
- Geometry defined by matter
- Matter can emerge in a phase transition



Geometry can emerge
in a phase transition*

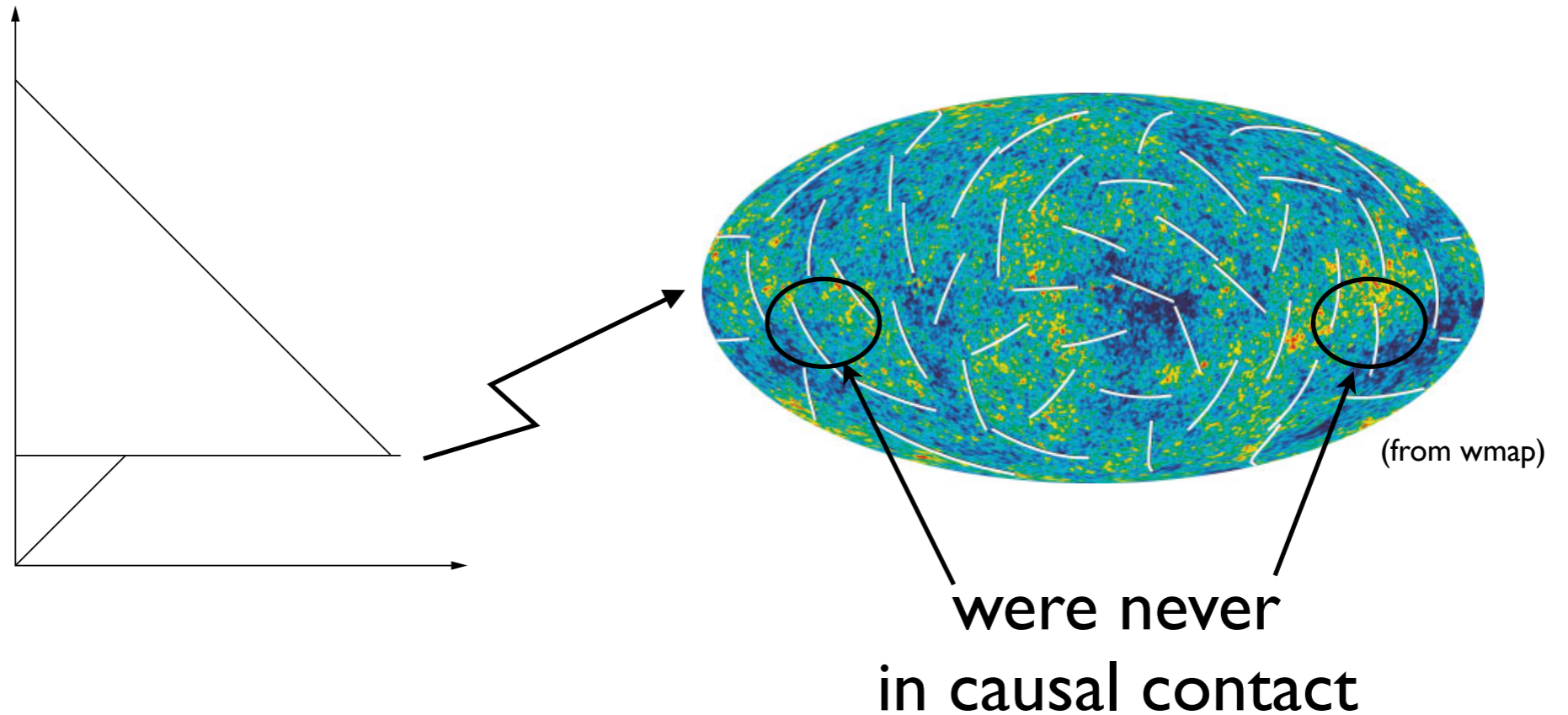
*not possible using the Einstein point of view
because spacetime is a priori

■ The emergence of spacetime



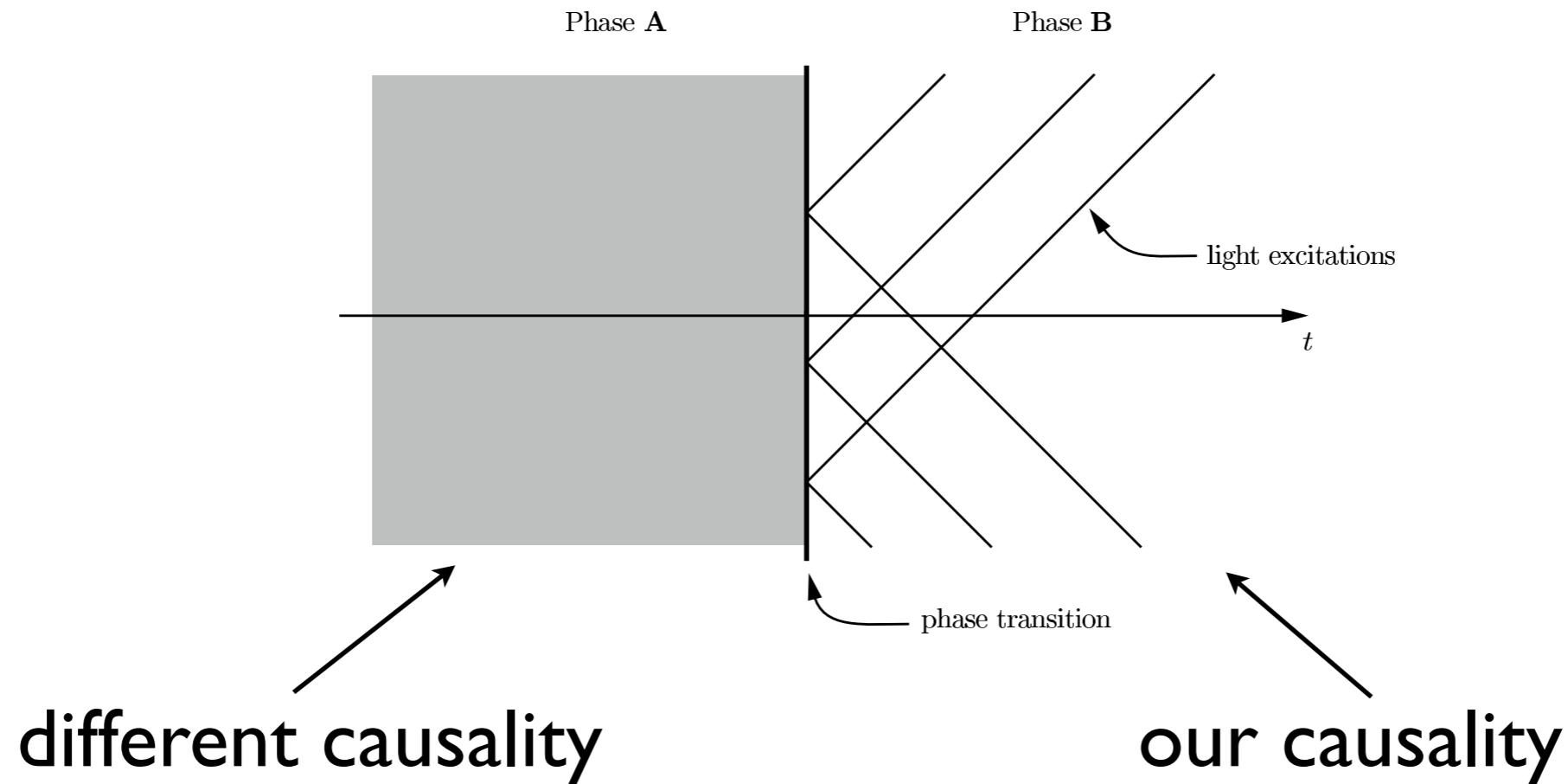
■ Interest for cosmology

horizon
problem:



- horizon problem can be seen as a consequence of applying our notion of causality where it does not apply anymore.

■ Addressing the horizon problem

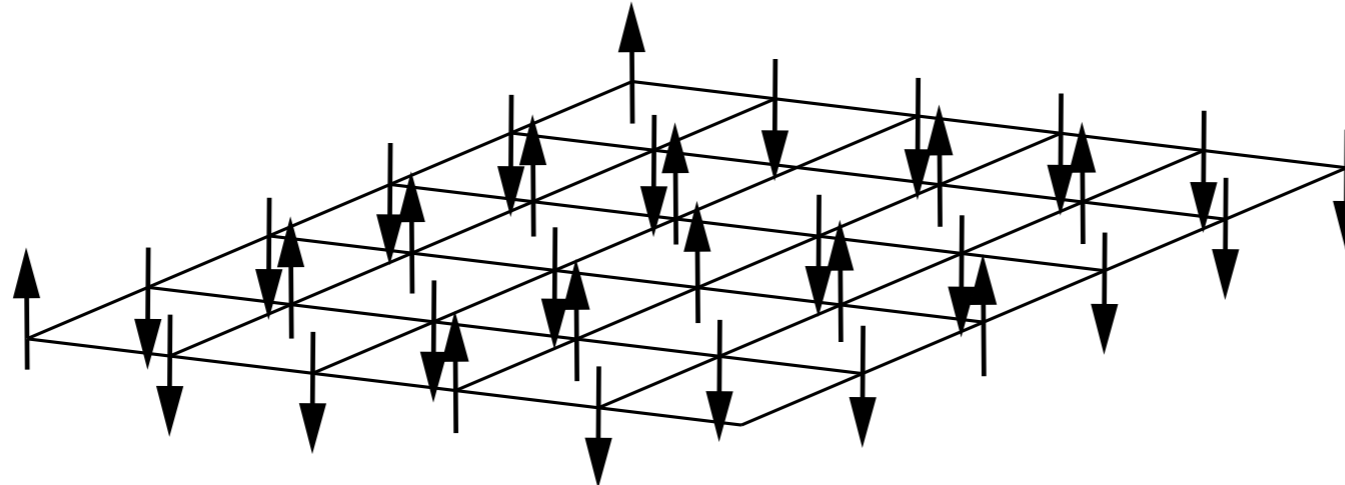


Horizon problem does not arise

Question: Do we get the right spectrum?
Does this provide an alternative to inflation?

■ Setup

three dimensional spin systems on a lattice



examples:

(i) Ising model (+ modifications)

(ii) stringnet condensates (a la Wen)

Assume a ground state with order parameter

$$\theta_0$$

■ Perturbations in Internal Relativity

Want to calculate:

$$\delta_{\Phi}^2(k)$$

In internal relativity we have:

$$\theta \simeq \Phi$$

$$ds^2 = (1 + \theta)dt^2 - (1 - \theta)\delta_{ij}dx^i dx^j$$

$\theta \simeq \Phi$

We thus need to calculate:

$$\delta_{\theta}^2(k)$$

■ The spectrum

$$\delta_{\Phi}^2(k) \simeq \delta_{\theta}^2(k) \quad \text{(internal relativity)}$$

$$\simeq k^3 G(k) \quad \text{(theorem)}$$

$$\simeq k^3 \frac{1}{k^3} \quad \text{(fourier transform)}$$

$$= \text{const.}$$

i.e. the spectrum is scale free

■ The tilt

For a real phase transition we have:

$$G(x) = \frac{e^{-|x|/\xi}}{|x|^{d-2+\eta}}$$

dynamical
process



$$G(x) = |x|^\eta$$

critical
exponent

System	η
Mean-field	0
3D theory	
n=1 (Ising)	0.04
n=2 (<i>xy</i> -model)	0.04
n=3 (Heisenberg)	0.04
Experiment	
3D n=1	0.03 – 0.06

then:

- no slow-roll parameters needed
- discreteness of nature

■ Cosmology

- New/old look at special relativity allows for the emergence of spacetime.
- Phase transition in the early universe can produce a flat spectrum of scalar perturbations.
- Tilt of the spectrum might be a consequence of a fundamental discreteness in nature.