



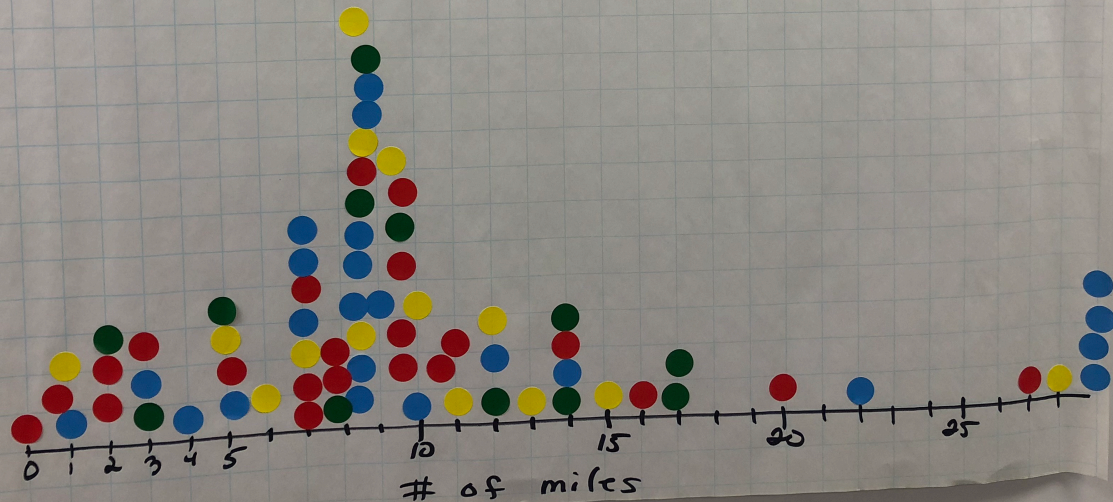
What Does the Graph Say: Forcing Students to Think


**Jennifer North Morris
Marana High School, Tucson AZ**

3-2-1

- 3 Facts
- 2 Questions
- 1 Implication

~ How Many Miles Do You Live from School?





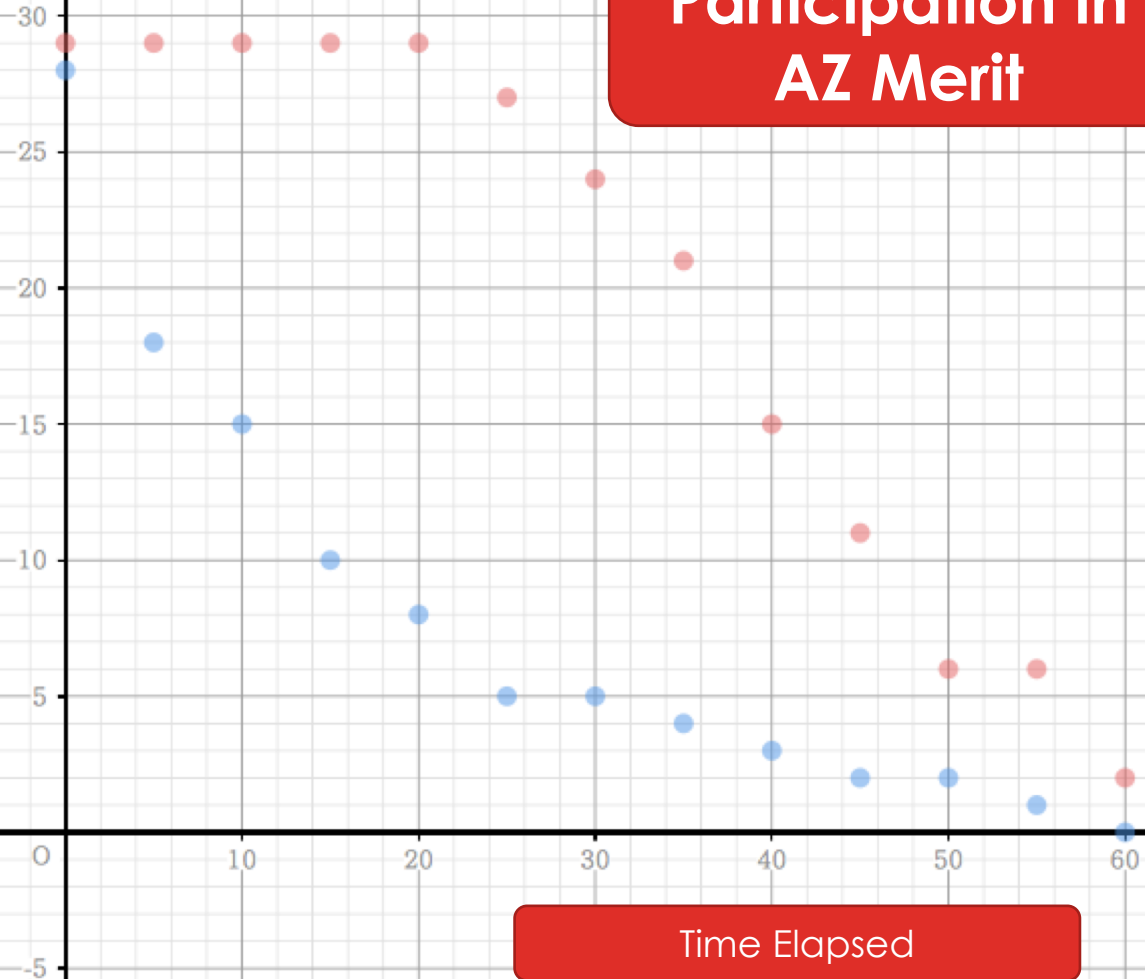
3-2-1

Mystery Data --> Classpad.net

Participation in AZ Merit

- 3 Facts
- 2 Questions
- 1 Implication

Students Taking Exam



Time Elapsed

Questions for the Hour

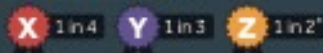
- How do graphs spark conversation?
- Graphing technology: how is this a tool and not a crutch?
- Assessment: What types of questions demonstrate understanding? (and not the ability to use technology)

Before we go any further...

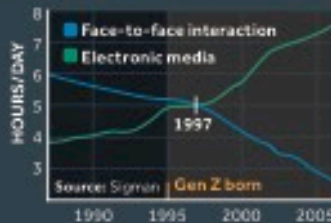
How do our kids learn?

- Individual exploration
- Collaboration
- Google

UNI DEGREES



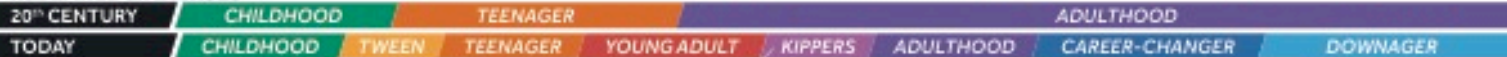
SCREENAGERS



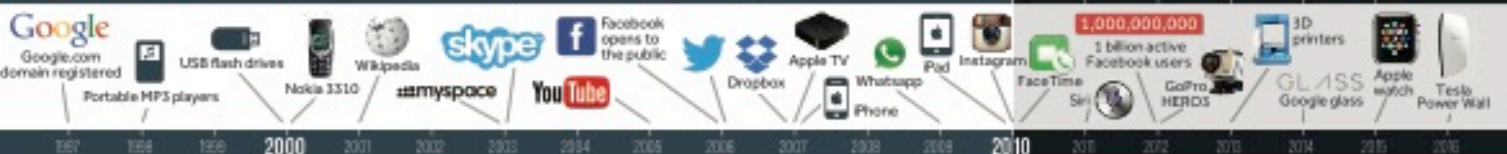
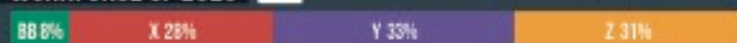
LEADERSHIP STYLES



REDEFINED LIFESTAGES



WORKFORCE OF 2025



MOBILITY



IN A LIFETIME*



GLOBAL
2,000,000,000
2 BILLION GEN Zs

EFFECTIVE ENGAGEMENT



TOP 6 POPULATIONS...

...if social media sites were countries



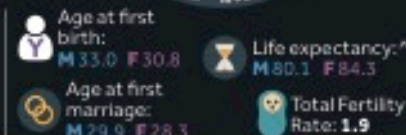
TOP NAMES



2,500,000 Gen Alphas born globally each week



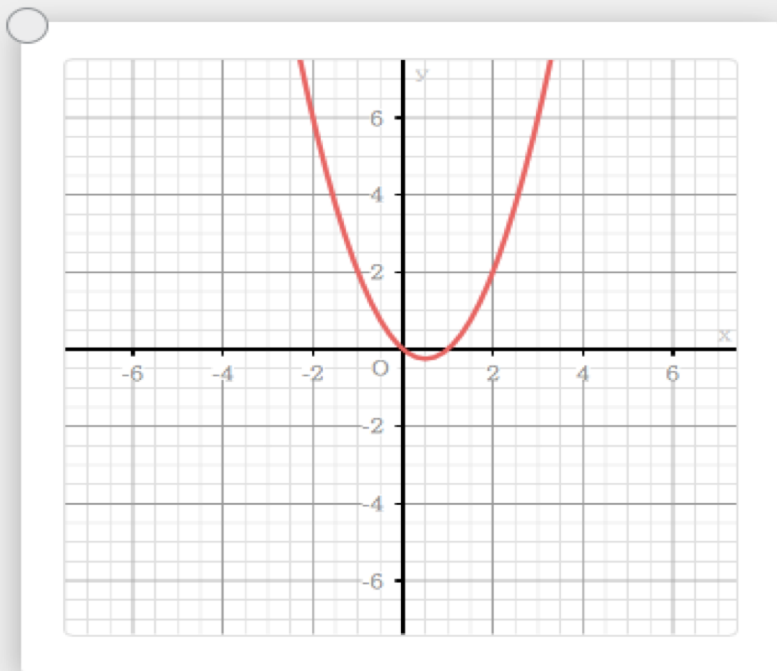
GEN Y PARENTS



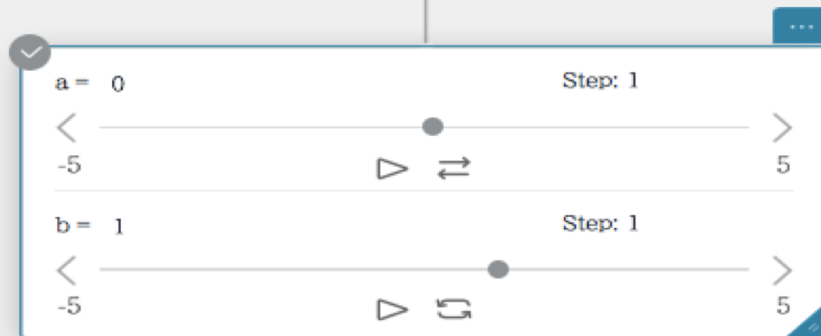
Graphing technology: how is this a tool and not a crutch?

Exploration & Discovery → Let's play with transformations

Turn & Talk: What is going on?



$$y = (x - a)(x - b)$$





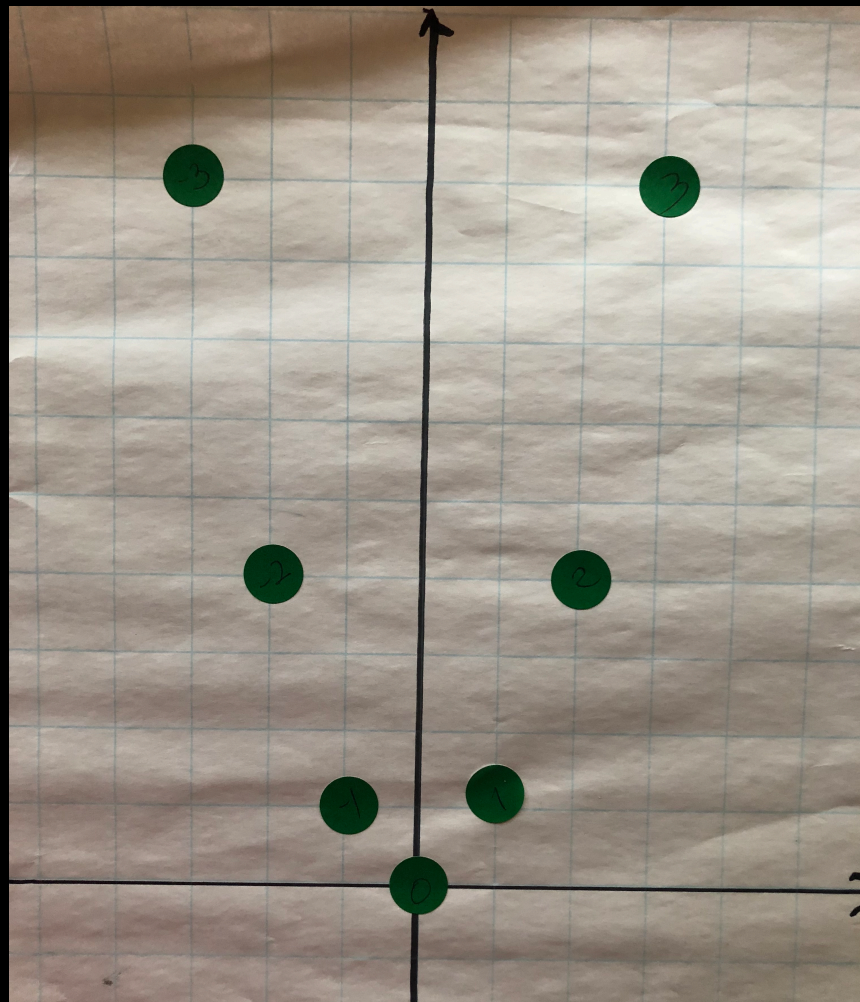
**Word of Caution: Low tech has
power too!!!
...and is necessary**

Sticky Dot Graphs

Quadratic:

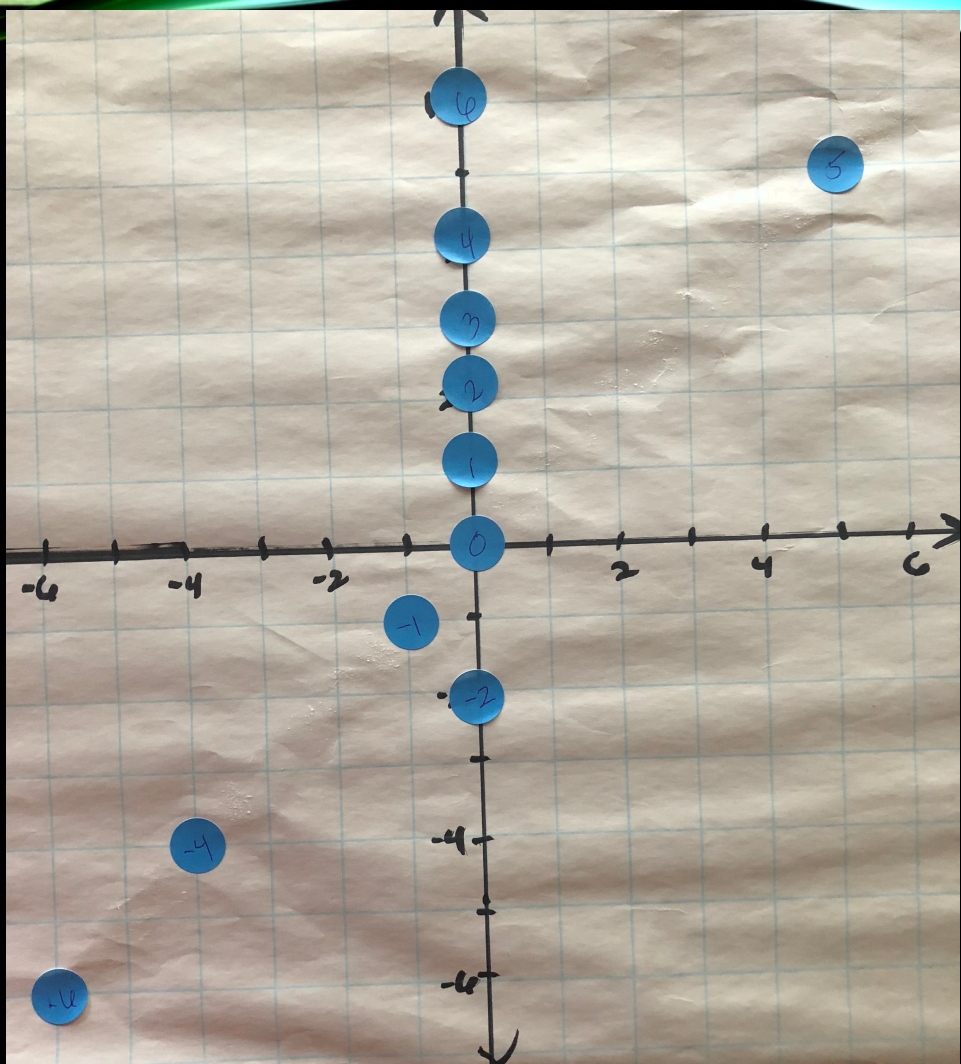
$$f(x) = x^2$$

x	$f(x)$
-3	9
3	9
1	1
-2	4
2	4
1	1
0	0



Linear
 $f(x) = x$

x	$f(x)$
-6	-6
5	5
-5	5
0	0
1	1
2	2
3	3
-4	-4
6	6



Graphing technology: how is this a tool and not a crutch?

Moving beyond algebra 1

✓ ... ✕

$$y = (x - h)^a + k$$

☰ ✕

$f(x)$

$a = 5$

Step: 1



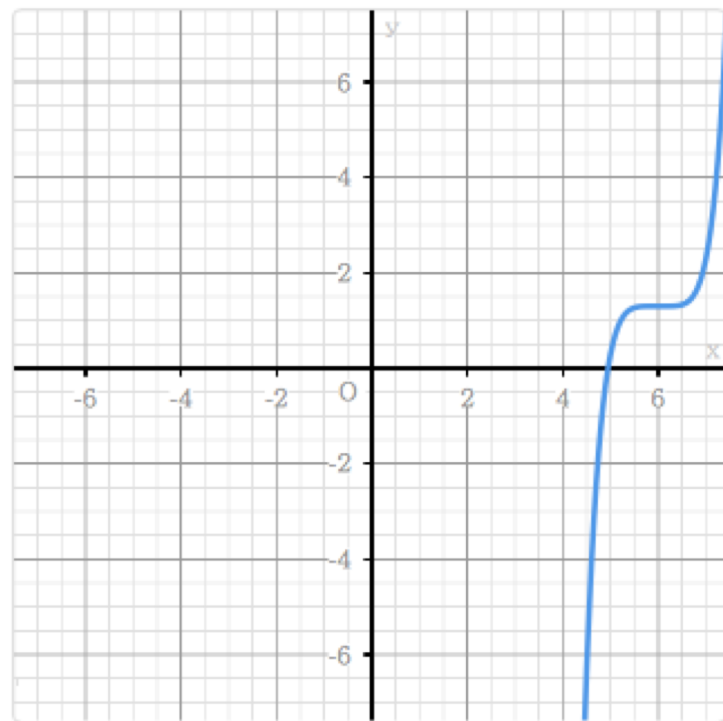
$h = 6$

Step: 1



$k = 1.3$

Step: 1



Assessment: What types of questions demonstrate understanding?

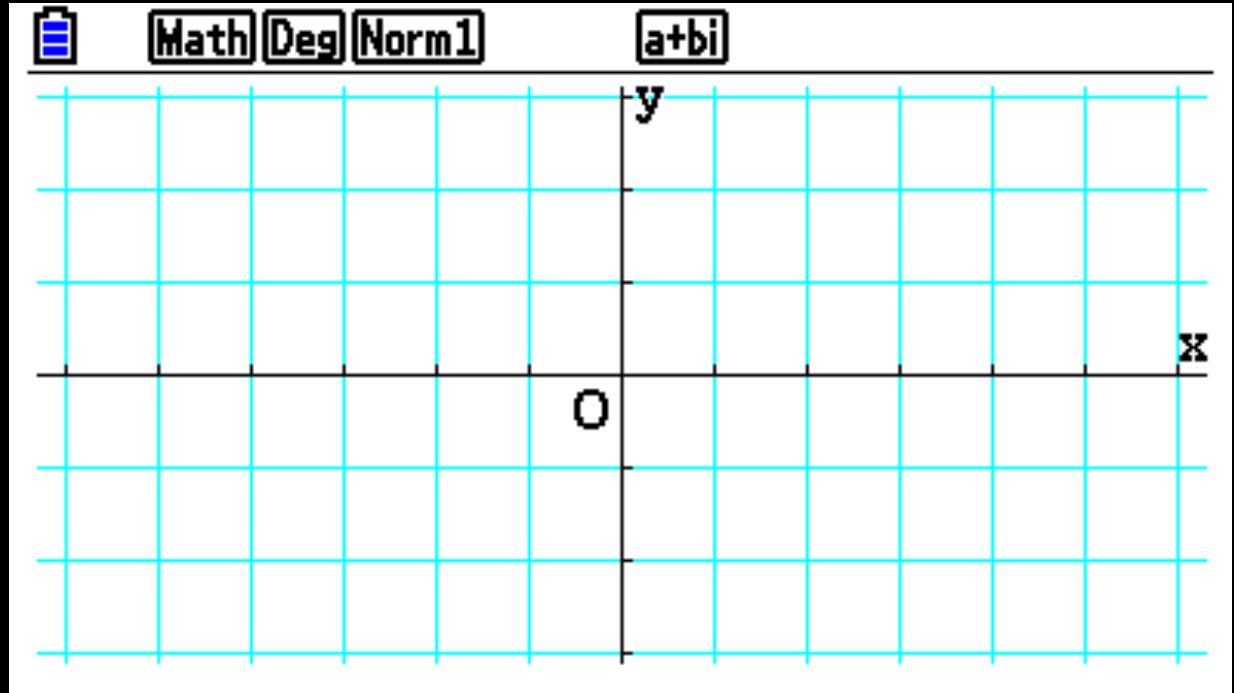
Polynomial Aerobics

Polynomial Degree Aerobics

$$y = x^2$$

Polynomial Degree Aerobics

$$y = x^3$$



Polynomial Degree Aerobics

$$y = -x^2$$

Polynomial Degree Aerobics

$$y = x^4$$

Polynomial Degree Aerobics

$$y = x^5$$

Polynomial Degree Aerobics

$$y = x^6$$

Polynomial Degree Aerobics

$$y = -x^4$$

Polynomial Degree Aerobics

$$y = x^2 + 1$$

Polynomial Degree Aerobics

$$y = -(x - 1)^3$$

Polynomial Degree Aerobics

$$y = (x + 1)^2 - 2$$

Polynomial Degree Aerobics

$$y = x^{-1}$$

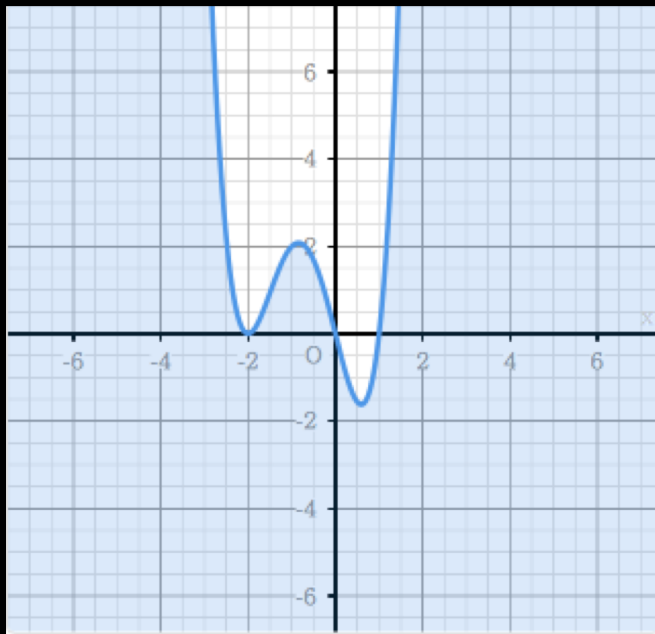
Assessment: What types of questions demonstrate understanding?

Turn & Talk: Solve this equation using at least 2 different methods:

$$x^2 - x - 12 = 0$$

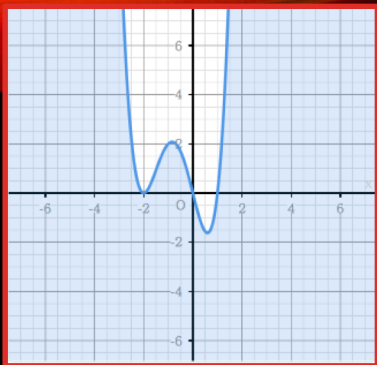
How are these graphs different?

$$y \leq x(x - 1)(x + 2)^2$$

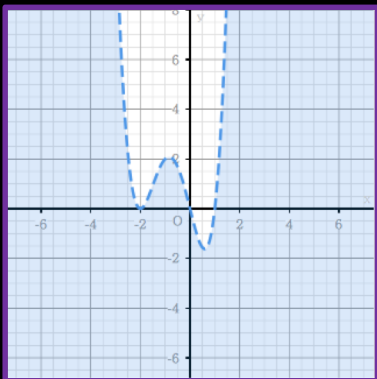
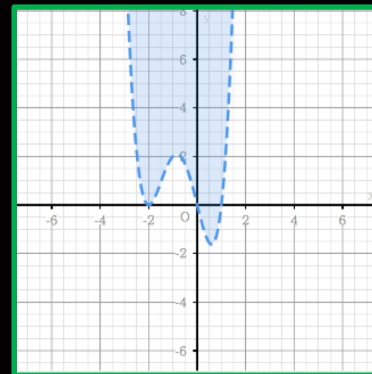


$$y < x(x - 1)(x + 2)^2$$
$$y > x(x - 1)(x + 2)^2$$
$$y \geq x(x - 1)(x + 2)^2$$

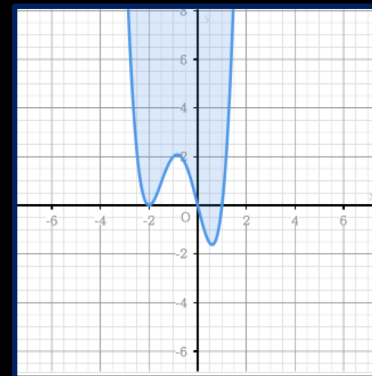
$$y \leq x(x-1)(x+2)^2$$



$$y > x(x-1)(x+2)^2$$



$$y < x(x-1)(x+2)^2$$

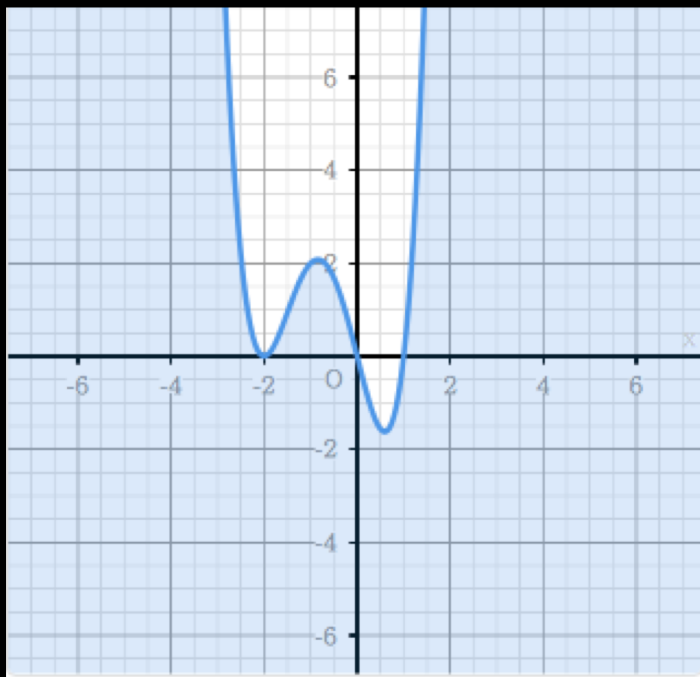


$$y \geq x(x-1)(x+2)^2$$

What's the difference?

$$y \leq x(x - 1)(x + 2)^2$$

$$0 \leq x(x - 1)(x + 2)^2$$

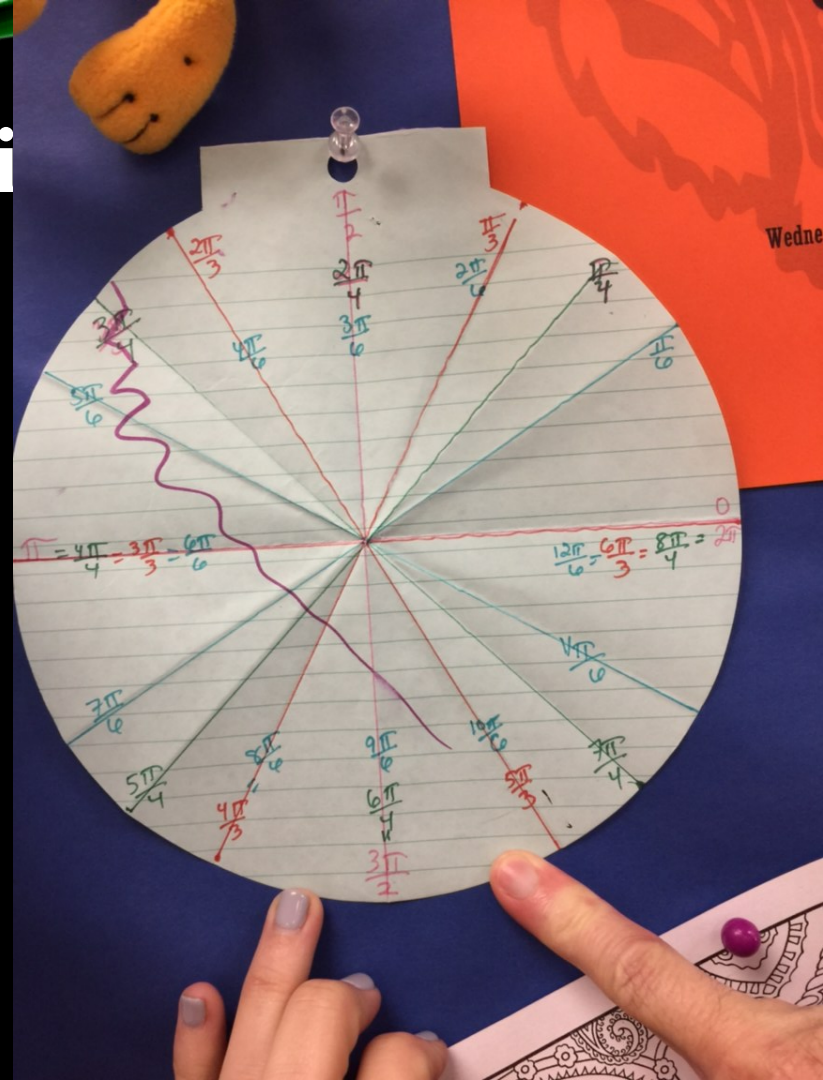


$$(-\infty, 0] \cup [1, \infty)$$

Kahoot! Time for Prizes!

Uni

- Geogebra Unit Circle
- Thanks, Jeff Holcomb!



Questions for the Hour

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- Graphing technology: how is this a tool and not a crutch?
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THANKS!

Jennifer North Morris

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Resources will be posted on online program

