Midterm 1, September 30, 2009: 6:30-8:30 pm Student Name Room Assignment A-Byington Stewart Biology S1/4 **Byland-Coates McCall** Otto Maass 10 Cochin-Egan Stewart Biology N2/2 El Abbas-Inoue F.D.A. Auditorium Isbester-Muddiman Leacock 132 Mulherin-Panagiotou Otto Maass 217 Panaite-Rozenberg Leacock 26 Rutherford Physics 112 Rudd-Stephenson Stetson-Z Otto Maass 112

Midterm I, CHEM 110, Septmber 30, 6:30-8:30 pm



If there is a topic in the text that was <u>not</u> covered in class, it will <u>not</u> be on the exam. Also, please note that you are also <u>not</u> responsible for the "side stories". Do, however, make sure to <u>memorize</u> the important equations that were posted earlier in the Selected Slides section on webCT.

The midterm consists of 40 multiple-choice questions, which will be machine-scored. Bring a scientific calculator (with its memory, if any, cleared; you will need to prove this to the invigilator), pencils for the computer card and, most importantly, your McGill ID card with your student number.

Answers to Chapter 8 Problems and Other Study Points



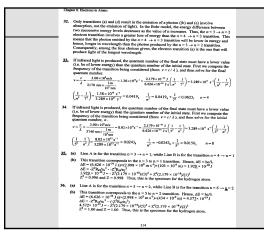
Scanned answers to the problems in Chapter 8 and those for problems 9-36 in Chapter 9 have now been posted.

Exercises #24-30 in Chapter 9



These exercises involve calculations of ionization energies. You are welcome to do these, but there will be no ionization calculations on the midterm.

CRAPTER 8 ELECTRONS IN ATOMS PRACTICE EXAMPLES 13. We e=Av, solve for frequency, $v_e = \frac{2.999 \cdot v_e}{0.000} \frac{v_e}{m} \times \frac{10^m}{n} = 4.34 \times 10^m$ Its. 14. Use e=Av, solve for frequency, $v_e = \frac{2.999 \cdot v_e}{0.000} \frac{v_e}{m} \times \frac{10^m}{n} = 4.34 \times 10^m$ Its. 15. We see that $v_e = \frac{2.999 \cdot v_e}{1.000} = \frac{v_e}{m} \times \frac{10^m}{n} = 4.34 \times 10^m$ Its. 16. We see that $v_e = \frac{2.999 \cdot v_e}{n} = \frac{v_e}{n} \times \frac{v_e}{n} \times \frac{v_e}{n} = \frac{v_e}{n} \times \frac{v_e}{n} \times \frac{v_e}{n} = \frac{v_e}{n} \times \frac{v_e}{n}$

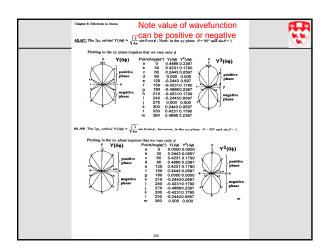


Photoelectric Effect



The photons of a light beam have a characteristic energy determined by the frequency of the light (E = hv). In the photoelectric effect, if an electron absorbs the energy of one photon and has more energy than the work function (E = hv₀), it is ejected from the material. If the photon energy is too low, the electron is unable to escape the surface of the material. Increasing the intensity of the light beam when E > hv_y, increases the number of photons in the light beam, and thus increases the number of electrons emitted without increasing the energy that each electron possesses. The energy of the emitted electrons does not depend on the intensity of the incoming light, but only on the energy of the individual photons.

Electrons can absorb energy from photons when irradiated, but they follow an "all or nothing" principle. All of the energy from one photon must be absorbed and used to liberate one electron from atomic binding, or the energy is re-emitted. If the photon energy is absorbed, some of the energy liberates the electron from the atom, and the rest contributes to the electron's kinetic energy as a free particle.



Which of the following particles has the longest wavelength associated with it?



- 1. An electron (mass $9.109 \times 10^{-31} \text{ kg}$) moving at one-fifth the speed of light
- 2. A proton (mass 1.673 x 10-27 kg) moving at one-fifth the speed of light
- 3. An electron (mass $9.109 \times 10^{-31} \text{ kg}$) moving at one-tenth the speed of light.
- 4. A proton (mass 1.673 x 10^{-27} kg) moving at one-tenth the speed of light

Answer



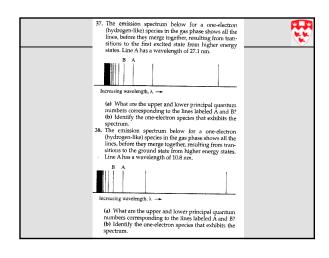
This question depends on the de Broglie

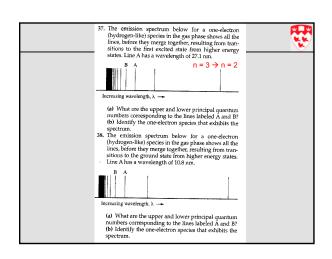
relationship: $\lambda = h/mu$

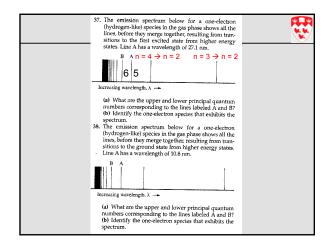
- 1. $\lambda_1 = 5 h/m_e c$
- 2. $\lambda_2 = 5h/m_pc$
- 3. $\lambda_3 = 10 \text{h/m}_{e} \text{c} > \text{Ans. 1 (5h/m}_{e} \text{c})$
- 4. $\lambda_4 = 10 \text{h/m}_p \text{c} > \text{Ans. 2 (5h/m}_p \text{c})$

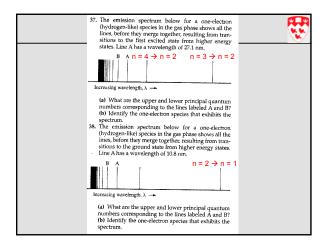
 $m_e (9.109 \times 10^{-31} \text{ kg}) \le m_p (1.673 \times 10^{-27} \text{ kg})$

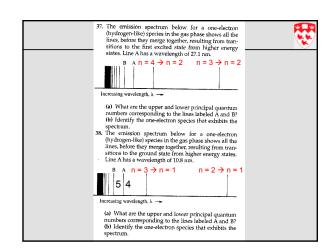
Therefore, $\lambda_3 > \lambda_4$ Ans. 3 is correct.

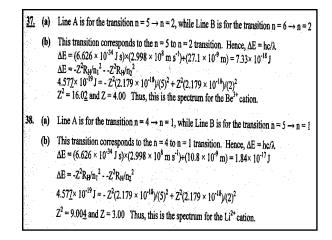


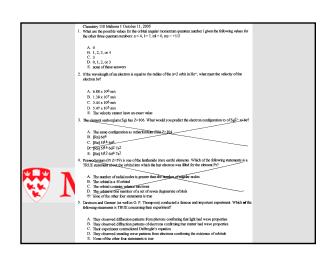


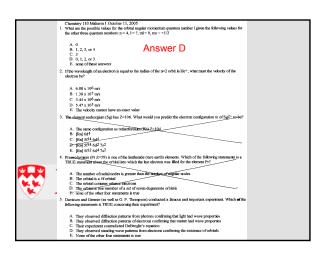










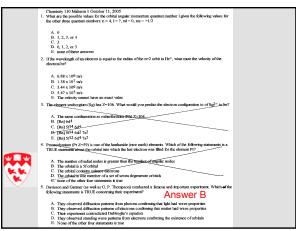


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Chemistry 110 Millerm 1 October 11, 2005

1. What are the possible values for the orbital inguistre reconstraint quantum number 1 given the following values for the orbit of the quantum number 1 given the following values for the orbit of the quantum number 1 given the following values for the orbit of the quantum number 1 given the following values for the orbit of the orbit of
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Chemistry 110 Milderm I October 11, 2003

1. What are the possible values for the orbital angular recomman quantum standor I given the following values for the orbit and present materials: a few of the refer under the content materials: a few of the refer under the content materials: a few of the refer under the content of the content
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Old Midterm-1, Fall 2005 #24, Version 1 A. n = 2, Z = 4: $r_n = (2^2)a_0/4 = a_0$ Be³⁺ B. n = 1, Z = 1: $r_n = (1^2)a_0/1 = a_0$ H C. n = 3, Z = 3: $r_n = (3^2)/3 = 3a_0$ Li²⁺ D. n = 4, Z = 2: $r_n = (4^2)/2 = 8a_0$ He⁺ E. n = 3, Z = 1: $r_n = (3^2)/1 = 9a_0$ H Answer E is correct.

**E 'two of the other fast estaments is true Devision and General as well as O. Proposo) conducted a finance and important reportance. Which of the following statements is TRUE concerning their experiment? A. They observed diffiaction patterns of electrons confirming that light wave proporties D. They observed diffiaction patterns of electrons confirming that light wave proporties D. They observed diffiaction patterns of electrons confirming that matter had wave proporties D. They observed anadring wave patterns from electrons confirming the existence of orbitals E. None of the other four statements is true

Key Study Points for Chapter 8

1.	Force of Coulombic attraction is directly proportional to the electrostatic charges $(q_1 \text{ and } q_2)$ and inversely proportional to the square of the separation between the charges (r^2) .
2.	Definition of isotope.
3.	Definition of atomic number.
4.	Definition of mass number.
5.	General formula for an element or ion.
6.	Orders of decreasing energy, frequency and
	wavelength for the different types of electromagnetic radiation.
7.	Intensity of a wave is directly proportional to the square of the amplitude.
8.	S.I. unit of frequency (Hz, s ⁻¹).
9.	Meaning of S.I. prefixes: pico, femto, nano, etc.

Key Study Points (2)



- 10. Range of visible electromagnetic radiation in nanometers: approx. 400 (blue)-800 (red) nm.
- 11. In-phase constructive interference → wave amplitude augmented
- 12. Out-of-phase interference → wave amplitude cancelled.
- 13. Typical wave properties of visible light: diffraction and refraction.
- 14. $\lambda v = c$ relationship.
- 14. Planck's quantum theory relationship: E = hv.
- 15. Classical wave theory cannot account for atomic line spectra, blackbody radiation (ultraviolet catastrophe) and photoelectric effect.

Key Study Points (3)



- 16. Blackbody radiation → absorbs and emits all radiation regardless of v. Continuous spectrum, dependent on temperature. Best example → light emitted from a hot metal.
- 17. Rayleigh-Jeans theory predicted that the energy density for a blackbody would be infinite at lowA and that it was inversely proportional to λ^4 and directly proportional to absolute temperature T.
- 18. Einstein, photoelectric effect:: $KE_p = \frac{1}{2} m_p u^2 = h(v \frac{1}{2} m_p u^2)$ v_0), where v_0 is the threshold frequency and $hv_0 = \Phi$ (work function).
- 19. E = hv, energy associated with a photon (G.N. Lewis).
- 20. Bohr theory: electron energy in stationary states is

Key Study Points (4)



- 21. Bohr assumed that the orbital angular momentum is quantized: nh/2π.
- Bohr's radius equation: $r_n = n^2 a_0$, where $a_0 = Bohr radius (52.9 pm)$.
- Bohr's energy equation:
 - $E_n = -(hcR_H)/n^2 = -2.179 \text{ x}^10^{-18} \text{ J/n}^2.$
- 24. n = 1 (ground state).
- 25. n = 2, 3, 4, (excited states).
 26. Energy difference between orbits in Bohr's theory:

$$\Delta E = E_{final} - E_{initial} = hcR_{H}(1/n_{i}^{2} - 1/n_{f}^{2})$$

$$= 2.179 \times 10^{-18} hcR_{H}(1/n_{i}^{2} - 1/n_{f}^{2}) J$$

$$= hc/\lambda$$

27. Emission: electron in excited state drops down to a lower energy state.

Key Study Points (5)



- Absorption: electron is a lower energy state is excited to a
- 29. Two-photon transition: If the energy for a single photon transition is ΔE , then the total energy for a two-photon transition must equal ΔE.
- 30. For Lyman line spectra in UV: n_f = 1
- 31. For Balmer line spectra in visible: $n_f = 2$
- For Paschen line spectra in IR: $n_f = 3$
- Ionization energy is ΔE beween n = 1 and n = infinitystates.
- Bohr model applies to all H-like (one electron) systems, e.g., He+, Li2+, Be3+, B4+, C5+. etc. Remember Z is involved.

Key Study Points (6)



- 28. de Broglie: $\lambda = h/mc$ for a photon and λ = h/mu for matter (electron, neutron, etc.) where u = velocity of the matter.
- 29. Wave properties of matter confirmed → electron diffraction work of Davisson-Germer and Thomson. (U.K.).
- Heisenberg uncertainty principle: $\Delta x \cdot \Delta p \ge h/4\pi$. 30.
- At the atomic level, the act of measurement changes the
- Wavefunction squared (ψ^2) = electron probability
- 33. Quantum numbers (n, I, m_I and m_s)
- 34. s, p, d, f orbitals (I = 0, 1, 2, 3, respectively).
- 35. $m_s = +1/2 \text{ or } -1/2$.
- Stern-Gerlach experiment with Ag atoms.
- Degenerate = orbitals of the same energy.

Key Study Points (7)



- 38. For H and H-like species, the orbitals for a given n value are degenerate.
- No two electrons have exactly the same four quantum 39. numbers.
- 40. Node = zero probability of finding an electron.
- 41. One s orbital, three p orbitals, five d orbitals and seven f
- 42. For a s orbital (spherically symmetrical), the total integrated probability at a distance r from the nucleus depends on r^2 , i.e., $P(r) = 4\pi r^2 R^2(r)$. When r = 0, P(r) = 0.
- 43. Screening strength of electrons in different orbitals in multielectron atoms: s > p > d.
- E is directly proportional to Z_{eff}^2/n^2 and s < p < d for the same value of n in multielectron atoms

Key Study Points (8)



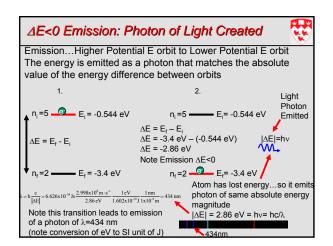
- 45. Aubau process for electron configurations.
- 46. Four rules: (1) minimum energy configuration; (2) Pauli exclusion principle; (3) Hund's rule; and (4) once orbitals of same energy are filled singly, additional electrons can be added with opposite spin.
- 47. Know the class exceptions to the Aufbau process: Cr, Cu.
- 48. Know the shapes and labelling of the s, p and d orbirtals

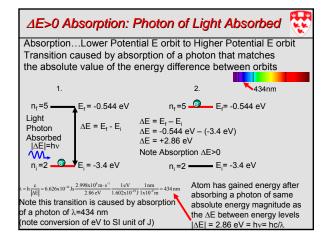
Key Study Points for Chapter 9

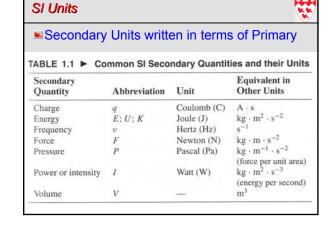


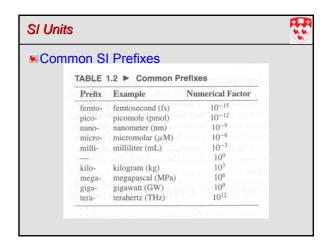
- 1. Distinction between metals and nonmetals.
- 2. Metals tend to lose electrons, while nonmetals tend to gain electrons.
- The elements in Groups 1, 2, 13, 14, 15, 16 and 17 with ns^xnp^y valence electrons want to achieve the nearest noble gas electronic configuration in order to be more stable.
- Some transition metals lose electrons to achieve noble gas electronic configurations. Many transition metals do not.
- 5. Extra stability of half-filled d shells (3d, 4d, 5d)
- 6. How to calculate atomic and ionic radii.
- 7. Comparison of atomic and ionic sizes.
- 8. Isoelectronic species and comparison of their atomic and ionic radii...
- 9. Periodic and group trends in atomic and ionic radii.
- 10. Periodic and group trends in ionization energy.
- 11. Periodic and group trends in electron affinity.

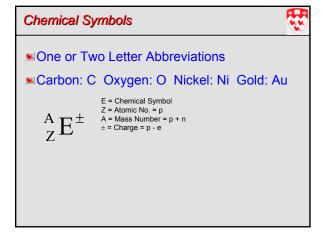
Orbit Energies...Potential energies...E<0 Bohr Model H atom Orbits Note n=1,2,3,4,5,6,7,8,9,10,...,∞ E_= 0 eV E₆= -0.378 eV E₅= -0.544 eV E₄= -0.85 eV Example for the H atom (so Z=1) And using eV to make the E₃= -1.51 eV Trend easier to see... 1 eV = 1.602x10⁻¹⁹ J (single e⁻) -E₂= -3.4 eV n=2 Less Negative $E_n = \frac{-Z^2 h c R_H}{n^2} = \frac{-2.179 \times 10^{-18} \text{ J}}{n^2} \frac{1 \text{ eV}}{1.602 \times 10^{-29} \text{ J}} = \frac{-13.60 \text{ eV}}{n^2}$ So higher in Energy $E_{s} = \frac{-13.60 \text{ eV}}{2} = -13.60 \text{ eV}$ than n=1 $E_{\gamma} = \frac{-13.60 \text{ eV}}{2.3} = -3.400 \text{ eV}$ $E_3 = \frac{-13.60 \text{ eV}}{-2} = -1.511 \text{ eV}$ n=1 More Negative $E_{\infty} = \frac{-13.60 \, eV}{2} = 0 \, eV$ So lower (lowest!) in Energy - E₁= -13.60 eV

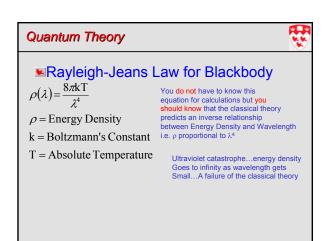


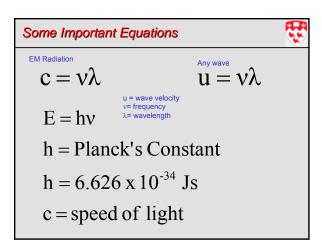


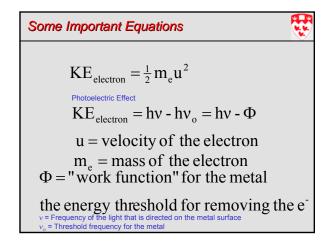


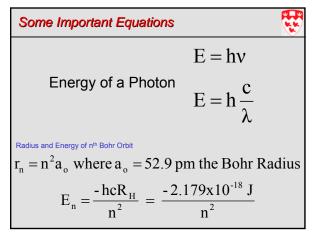












Some Important Equations



Energy for change of discrete orbits from n_i to n_f $\Delta E{<}0$ for emission $\Delta E{>}0$ for absorption

$$\rightarrow \Delta E = hcR_H \left(\frac{1}{n_i^2} - \frac{1}{n_f^2}\right)$$
Energy change for transition Between orbits

$$\Delta E_{photon} = \left| \Delta E \right|_{e^- \text{ transition between orbits}}$$

Energy for photon emitted or absorbed for discrete transition between orbits Note that this energy is simply the absolute value (i.e. positive) of the energy change Shown above for the transition between orbits

$$Arr \Delta E = h v = h rac{c}{\lambda}$$
 Energy of a photon

Some Important Equations



Note that these equations apply to H as well (Z=1)...so they are general Memorize these equations as they are general for H, He $^+$, Li $^{2+}$ etc. (Note the Z)

$$E_n = \frac{-Z^2 h c R_H}{n^2} = \frac{-Z^2 \cdot 2.179 \times 10^{-18} J}{n^2}$$

$$Z = Atomic Number a_o = 52.9 pm$$

$$\Delta E = Z^2 h c R_H \left(\frac{1}{n_i^2} - \frac{1}{n_f^2} \right) \qquad r_n = \frac{n^2 a_o}{Z}$$

Energy change for e⁻ jump between orbits from n_i to n_r for H like species $\Delta E{<}0$ for emission $\Delta E{>}0$ for absorption r_n is radius of n^{th} orbit

Some Important Equations



Note that this equation applies to H as well (Z=1)..

$$\Delta E_{IE} = \frac{Z^2 h c R_H}{1^2}$$

lonization energy for H-like species (change of discrete orbits from $n_i = 1$ to $n_i = \infty$ for H-like species...e removed from atom by input of energy... A photon is absorbed to remove the electron; hence $\Delta E \! > \! 0$ for absorption (this is assuming the usual ground state of n=1)

Two New Ideas



■de Broglie Equation predicts that matter should have wavelike properties

$$p = mu = \frac{h}{\lambda}$$
 or $\lambda = \frac{h}{mu}$

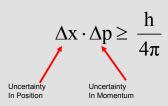
de Broglie's Equation

p=linear momentum m=mass u=velocity h=Planck's constant λ=wavelength

Two New Ideas



■The Uncertainty Principle



h = Planck's Constant

Uncertainties are standard deviations

Multielectron Atoms



 $|\Psi(\mathbf{r},\theta,\varphi)|^2 = e^- \text{ Probability at } (\mathbf{r},\theta,\varphi)$

Each electron will "obey" its own wavefunction \(\Precede{\text{Part}} \) a specific volume in space characteristic of the type of orbital the electron is in

Each wave function Ψ has four quantum numbers associated with it. So Ψ describes the orbital in which an electron is most likely to be found

Each electron is specified by a set of four quantum numbers...They determine where the electron is found in an atom...Know the rules for the quantum numbers

